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# NeuTM: A Neural Network-based Framework for Traffic Matrix Prediction in SDN

Abdelhadi Azzouni and Guy Pujolle

LIP6 / UPMC; Paris, France {abdelhadi.azzouni,guy.pujolle}@lip6.fr

*Abstract*—This paper presents NeuTM, a framework for network Traffic Matrix (TM) prediction based on Long Short-Term Memory Recurrent Neural Networks (LSTM RNNs). TM prediction is defined as the problem of estimating future network traffic matrix from the previous and achieved network traffic data. It is widely used in network planning, resource management and network security. Long Short-Term Memory (LSTM) is a specific recurrent neural network (RNN) architecture that is well-suited to learn from data and classify or predict time series with time lags of unknown size. LSTMs have been shown to model longrange dependencies more accurately than conventional RNNs. NeuTM is a LSTM RNN-based framework for predicting TM in large networks. By validating our framework on real-world data from GEANT network, we show that our model converges ´ quickly and gives state of the art TM prediction performance.

*keywords -* Traffic Matrix, Prediction, Neural Networks, Long Short-Term Mermory, Software Defined Networking

#### I. INTRODUCTION

Having an accurate and timely network TM is essential for most network operation/management tasks such as traffic accounting, short-time traffic scheduling or re-routing, longterm capacity planning, network design, and network anomaly detection. For example, to detect DDoS attacks in their early stage, it is necessary to be able to detect high-volume traffic clusters in real-time, which is not possible relying only on current monitoring tools. Another example is, upon congestion occurrence in the network, traditional routing protocols cannot react immediately to adjust traffic distribution, resulting in high delay, packet loss and jitter. Thanks to the early warnings, a proactive prediction-based approach would be faster, in terms of high-volume traffic detection and DDoS prevention. Similarly, predicting network congestion is more effective than reactive methods that detect congestion through measurements, only after it has significantly influenced the network operation.

Network traffic is characterized by: self-similarity, multiscalarity, long-range dependence and a highly nonlinear nature (insufficiently modeled by Poisson and Gaussian models for example). These statistical characteristics determine the traffic's predictability [1].

Several methods have been proposed for network traffic prediction and can be classified into two categories: linear prediction and nonlinear prediction. The ARMA/ARIMA model [3], [6], [8] and the HoltWinters algorithm [3] are the most widely used traditional linear prediction methods. Nonlinear forecasting methods commonly involve neural networks (NN) [3], [9], [10]. The experimental results from [14] show that nonlinear traffic prediction based on NNs outperforms linear forecasting models (e.g. ARMA, ARAR, HW). [14] suggests that if we take into account both precision and complexity, the best results are obtained by a Feed Forward Neural Network predictor with multiresolution learning approach. However, most of the research using neural networks for network traffic prediction aims to predict the aggregate traffic value. In this work, our goal is to predict the traffic matrix which is a far more challenging task.

Unlike feed forward neural networks (FFNN), Recurrent Neural Network (RNNs) have cyclic connections over time. The activations from each time step are stored in the internal state of the network to provide a temporal memory. This capability makes RNNs better suited for sequence modeling tasks such as time series prediction and sequence labeling tasks. Particularly, Long Short-Term Memory (LSTM) is a powerful RNN architecture that was recently designed by Hochreiter and Schmidhuber [16] to address the vanishing and exploding gradient problems [7] that conventional RNNs suffer from. RNNs (including LSTMs) have been successfully used for handwriting recognition [2], language modeling, phonetic labeling of acoustic frames [11].

Our contribution in this paper is threefold.

- First, we present, for the first time, a LSTM based framework for large scale TM prediction.
- Second, we implement our framework and deploy it on a Software Defined Network (SDN) and train it on real world data using GÉANT data set.
- Finally, we evaluate our LSTM models at different configurations. We also compare our model to traditional models and show that LSTM models converge quickly and give state of the art TM prediction performance.

Note that we do not address the problem of TM estimation in this paper and we suppose that historical TM data is already accurately obtained.

The remainder of this paper is organized as follows: Section II summarizes time-series prediction techniques. LSTM architecture and equations are detailed in section III. The process of feeding the LSTM model and predicting TM is described in section IV. Evaluation and results are presented in section V. Related work is discussed in section VI and the paper is concluded by section VII.

#### II. TIME SERIES PREDICTION

For completeness sake, we give a brief summary of various linear predictors based on traditional statistical techniques. We use the same notation and definitions as in [14] and we refer to the original paper and to [23] for a thorough background. Then we discuss NNs usage for time series prediction.

*1) Linear Prediction:*

*a)* ARMA model: The time series  $\{X_t\}$  is called an ARMA(p, q) process if  $\{X_t\}$  is stationary and

$$
X_t - \phi_1 X_{t-1} - \dots - \phi_p X_{t-p} = Z_t + \theta_1 Z_{t-1} + \dots + \theta_q Z_{t-q}
$$
 (1)

where  $\{Z_t\} \approx W N(0, \sigma^2)$  is white noise with zero mean and variance  $\sigma^2$  and the polynomials  $\phi(z) = 1 - \phi_1 z$  $\ldots - \phi_p z^p$  and  $\theta(z) = 1 + \theta_1 z + \ldots + \theta_q z^q$  have no common factors. Predictions can be made recursively using:  $X_{n+1} =$  $\sqrt{ }$  $\int$  $\overline{\mathcal{L}}$  $\sum_{j=1}^n \theta_{nj}(X_{n+1-j} - \widehat{X}_{n+1-j})$  if  $1 \leq n \leq m$ )  $\sum_{j=1}^{q} \theta_{nj} (X_{n+1-j} - \widehat{X}_{n+1-j})$  $+\phi_1X_n + ... + \phi_pX_{n+1-p}$  if  $n \geq m$ 

where  $m = max(p, q)$  and  $\theta_{nj}$  is determined using the innovations algorithm.

*b) ARAR algorithm:* The ARAR algorithm applies memory-shortening transformations, followed by modeling the dataset as an AR(p) process:  $X_t = \phi_1 X_{t-1} + ... + \phi_n X_{t-n} + Z_t$ . The time series  ${Y_t}$  of long-memory or moderately longmemory is processed until the transformed series can be declared to be short-memory and stationary:

$$
S_t = \psi(B)Y_t = Y_t + \psi_1 Y_{t-1} + \dots + \psi_k Y_{t-k}
$$
 (2)

The autoregressive model fitted to the mean-corrected series  $X_t = S_t - \overline{S}, t = \overline{k+1,n}$ , where  $\overline{S}$  represents the sample mean for  $S_{k+1},..., S_n$ , is given by  $\phi(B)X_t = Z_t$ , where  $\phi(B)$  = 1 –  $\phi_1 B - \phi_{l_1} B^{l_1} - \phi_{l_2} B^{l_2} - \phi_{l_3} B^{l_3}, \{Z_t\}$  ≈  $WN(0, \sigma^2)$ , while the coefficients  $\phi_j$  and the variance  $\sigma^2$  are calculated using the YuleWalker equations described in [23]. We obtain the relationship:

$$
\xi(B)Y_t = \phi(1)\overline{S} + Z_t \tag{3}
$$

where  $\xi(B)Y_t = \psi(B)\varphi(B) = 1 + \xi_1B + ... + \xi_{k+l_3}B^{k+l_3}$ From the following recursion relation we can determine the linear predictors

$$
P_n Y_{n+h} = -\sum_{j=1}^{k+l_3} \xi P_n Y_{n+h-j} + \phi(1) \overline{S} \quad h \ge 1 \tag{4}
$$

with the initial condition  $P_nY_{n+h} = Y_{n+h}$  for  $h \leq 0$ .

*c) HoltWinters algorithm:* The HoltWinters forecasting algorithm is an exponential smoothing method that uses recursions to predict the future value of series containing a trend. If the time series has a trend, then the forecast function is:

$$
\widehat{Y}_{n+h} = P_n Y_{n+h} = \widehat{a}_n + \widehat{b}_n h \tag{5}
$$

where  $\hat{a}_n$  and  $b_n$  are the estimates of the level of the trend function and the slope respectively. These are calculated using the following recursive equations:

$$
\begin{cases} \hat{a}_{n+1} = \alpha Y_{n+1} + (1 - \alpha)(\hat{a}_n + \hat{b}_n) \\ \hat{b}_{n+1} = \beta(\hat{a}_{n+1} - \hat{a}_n) + (1 - \beta)\hat{b}_n \end{cases}
$$
(6)

Where  $\hat{Y}_{n+1} = P_n Y_{n+1} = \hat{a}_n + \hat{b}_n$  represents the one-step forecast. The initial conditions are:  $\hat{a}_2 = Y_2$  and  $\hat{b}_2 = Y_2$  – Y<sub>1</sub>. The smoothing parameters  $\alpha$  and  $\beta$  can be chosen either randomly (between 0 and 1), or by minimizing the sum of squared one-step errors  $\sum_{i=3}^{n} (Y_i - P_{i-1}Y_i)^2$  [23].

*2) Neural Networks for Time Series Prediction:* Thanks to their strong self-learning and their ability to learn complex non-linear patterns, Neural Networks (NNs) are widely used for modeling and predicting time-series. NNs are capable of estimating almost any linear or non-linear function in an efficient and stable manner, when the underlying data relationships very complex. Unlike the techniques presented above, NNs rely on the observed data rather than on an analytical model. Furthermore, The architecture and the parameters of a NN are determined solely by the dataset.

A neural network consists of interconnected nodes, called neurons. The interconnections are weighted and the weights are also called parameters. Neurons are organized in layers: a) an input layer, b) one or more hidden layers and c) an output layer. The most popular NN architecture is feed-forward in which the information goes through the network only in the forward direction, i.e. from the input layer towards the output layer, as illustrated in figure 1.

### III. LONG SHORT TERM MEMORY NEURAL NETWORKS

FFNNs can provide only limited temporal modeling by operating on a fixed-size window of TM sequence. They can only model the data within the window and are unsuited to handle historical dependencies. By contrast, recurrent neural networks or deep recurrent neural networks (figure 2) contain cycles that feed back the network activations from a previous time step as inputs to influence predictions at the current time step (figure 3). These activations are stored in the internal states of the network as temporal contextual information [11].

However, training conventional RNNs with the gradientbased back-propagation through time (BPTT) technique is difficult due to the vanishing gradient and exploding gradient problems. The influence of a given input on the hidden layers, and therefore on the network output, either decays or blows up exponentially when cycling around the network's recurrent connections. These problems limit the capability of RNNs to model the long range context dependencies to 5-10 discrete time steps between relevant input signals and output [12].

To address these problems, an elegant RNN architecture named Long Short-Term Memory (LSTM) has been designed [16]. LSTMs and conventional RNNs have been successfully applied to sequence prediction and sequence labeling tasks. LSTM models have been shown to perform better than conventional RNNs on learning context-free and context-sensitive languages for example [5].



**Hidden lavers** Output layer Input layer

Fig. 1: Feed Forward Deep Neural Net-Fig. 1: Feed Forward Deep Neural Net-<br>work Fig. 2: Deep Recurrent Neural Network Fig. 3: DRNN learning over time

#### *A. LSTM Architecture*

An LSTM RNN is composed of units called memory blocks. Each memory block contains memory cells with selfconnections storing (remembering) the temporal state of the network in addition to special multiplicative units called gates to control the flow of information. Each memory block contains an input gate to control the flow of input activations into the memory cell, an output gate to control the output flow of cell activations into the rest of the network and a forget gate (figure 4).



#### Fig. 4: LSTM architecture

The forget gate scales the internal state of the cell before adding it back to the cell as input through self recurrent connection, therefore adaptively forgetting or resetting the cell's memory. The modern LSTM architecture also contains peephole connections from its internal cells to the gates in the same cell to learn precise timing of the outputs [4].

#### *B. LSTM Equations*

An LSTM network maps an input sequence  $x = (x_1, ..., x_T)$ to an output sequence  $y = (y_1, ..., y_T)$  by computing the network unit activations using the following equations iteratively from  $t = 1$  to T.

$$
i_t = \sigma(W_{ix}x_t + W_{im}m_{t-1} + W_{ic}c_{t-1} + b_i)
$$
 (7)

$$
f_t = \sigma(W_{fx}x_t + W_{fm}m_{t-1} + W_{fc}c_{t-1} + b_f)
$$
 (8)

$$
c_t = f_t \odot c_{t-1} + i_t \odot g(W_{cx}x_t + W_{cm}m_{t-1} + b_c)
$$
 (9)



$$
o_t = \sigma(W_{ox}x_t + W_{om}m_{t-1} + W_{oc}c_t + b_o)
$$
 (10)

$$
m_t = o_t \odot h(c_t) \tag{11}
$$

$$
y_t = \varphi(W_{ym}m_t + b_y) \tag{12}
$$

Where i, f, o and c are respectively the input gate, forget gate, output gate and cell activation vectors. m is the output activation vector.  $\odot$  is the element-wise product of the vectors. g and h are the cell input and cell output activation functions. tanh and  $\varphi$  are the network output activation function. The b terms denote bias vectors and the W terms denote weight matrices. and  $\sigma$  is the logistic sigmoid function [11].

#### IV. TRAFFIC MATRIX PREDICTION USING LSTM RNN

We train a deep LSTM architecture with a deep learning method (backpropagation through time algorithm) to learn the traffic characteristics from historical traffic data and predict the future TM.

#### *A. Problem Statement*

Let N be the number of nodes in the network. The Nby-N traffic matrix is denoted by Y such as an entry  $y_{ij}$ represents the traffic volume flowing from node i to node j. We add the time dimension to obtain a structure of N-by-N-by-T tensor (vector of matrices) S such as an entry  $s_{ij}^t$  represents the volume of traffic flowing from node i to node j at time t, and T is the total number of time-slots. The traffic matrix prediction problem is defined as solving the predictor of  $Y<sup>t</sup>$ (denoted by  $\hat{Y}^t$ ) via a series of historical and measured traffic data set  $(Y^{t-1}, Y^{t-2}, Y^{t-3}, ..., Y^{t-T})$ . The main challenge here is how to model the inherent relationships among the traffic data set so that one can exactly predict  $Y^t$ .

#### *B. Feeding The LSTM RNN*

To effectively feed the LSTM RNN, we transform each matrix  $Y^t$  to a vector  $X^t$  (of size  $N \times N$ ) by concatenating its N rows from top to bottom.  $X<sup>t</sup>$  is called traffic vector (TV). Note that  $x_n$  entries can be mapped to the original  $y_{ij}$  using the relation  $n = i \times N + j$ . Now the traffic matrix prediction problem is defined as solving the predictor of  $X<sup>t</sup>$  (denoted by  $\hat{X}^{t}$ ) via a series of historical measured traffic vectors  $(X^{t-1},$  $X^{t-2}$ ,  $X^{t-3}$ , ...,  $X^{t-T}$ ).

One possible way to predict the traffic vector  $X<sup>t</sup>$  is to predict one component  $x_n^t$  at a time by feeding the LSTM RNN one vector  $(x_0^t, x_1^t, ..., x_{N^2}^t)$  at a time. This is based on





Fig. 5: MSE over number of hidden Fig. 6: Training time over network depth layers (500 nodes each)

(20 epochs)

Fig. 7: Comparison of prediction methods

the assumption that each OD traffic is independent from all other ODs which was shown to be wrong by [24]. Hence, considering the previous traffic of all ODs is necessary to obtain a more correct and accurate prediction of the traffic vector. Continuous Prediction Over Time: Real-time prediction of



Fig. 8: Sliding learning window

traffic matrix requires continuous feeding and learning. Over time, the total number of time-slots become too big resulting in high computational complexity. To cope with this problem, we introduce the notion of learning window (denoted by  $W$ ) which indicates a fixed number of previous time-slots to learn from in order to predict the current traffic vector  $X<sup>t</sup>$  (Fig. 8). We construct the  $W$ -by- $N^2$  traffic-over-time matrix (that we denote by M) by putting together W vectors  $(X^{t-1}, X^{t-2},$  $X^{t-3}$ , ...,  $X^{t-W}$ ) ordered in time. Note that  $T \geq W$  (T being the total number of historical matrices) and the number of matrices  $M$  is equal to  $T/W$ .

#### *C. Performance Metric*

To quantitatively assess the overall performance of our LSTM model, Mean Square Error (MSE) is used to estimate the prediction accuracy. MSE is a scale dependent metric which quantifies the difference between the forecasted values and the actual values of the quantity being predicted by computing the average sum of squared errors:

$$
MSE = \frac{1}{N} \sum_{i=1}^{N} (y_i - \hat{y}_i)^2
$$
 (13)

where  $y_i$  is the observed value,  $\hat{y}_i$  is the predicted value and N represents the total number of predictions. N represents the total number of predictions.

#### V. EXPERIMENTS AND EVALUATION

We implemented NeuTM as a traffic matrix prediction application on top of POX controller [19]. NeuTM's LSTM model is implemented using Keras library [20] on top of Googles TensorFlow machine learning framework [21]. We evaluate the prediction accuracy of our method using real traffic data from the GÉANT backbone networks [17] made up of 23 peer nodes interconnected using 38 links (as of 2004). 2004-timeslot traffic matrix data is sampled from the GEANT ´ network by 15-min interval [18] for several months.

To evaluate our method on short term traffic matrix prediction, we consider a set of 309 traffic matrices. As detailed in section IV-B, we transform the matrices to vectors of size 529 each and we concatenate the vectors to obtain the trafficover-time matrix M of size  $309 \times 529$ . We split M into two matrices, training matrix  $M_{train}$  and validation matrix  $M_{test}$ of sizes  $263 \times 529$  and  $46 \times 529$  consecutively.  $M_{train}$  is used to train the LSTM model and  $M_{test}$  is used to evaluate and validate its accuracy. Finally, We normalize the data by dividing by the maximum value.

Figure 5 depicts the MSE obtained over different numbers of hidden layers (depths). The prediction accuracy is better with deeper networks. Figure 6 depicts the variation of the training time over different depths. Note that it takes less than 5 minutes to train a 6 layers network on 20 epochs. Finally, figure 7 compares the prediction error of the different prediction methods presented in this paper and shows the superiority of LSTM.

#### VI. RELATED WORK

Various methods have been proposed to predict traffic matrix. [14] evaluates and compares traditional linear prediction models (ARMA, ARAR, HW) and neural network based prediction with multi-resolution learning. The results show that NNs outperform traditional linear prediction methods which cannot meet the accuracy requirements. [24] proposes a FARIMA predictor based on an  $\alpha$ -stable non-Gaussian selfsimilar traffic model. [22] compares three prediction methods: Independent Node Prediction (INP), Total Matrix Prediction with Key Element Correction (TMP-KEC) and Principle Component Prediction with Fluctuation Component Correction (PCP-FCC). INP method does not consider the correlations among the nodes, resulting in unsatisfying prediction error. TMP-KEC method reduces the forecasting error of key elements as well as that of the total matrix. PCP-FCC method improves the overall prediction error for most of the OD flows.

#### VII. CONCLUSION

In this work, we have shown that LSTM architectures are well suited for traffic matrix prediction. We have proposed a data pre-processing and RNN feeding technique that achieves high prediction accuracy in a very short training time. The



results of our evaluations show that LSTMs outperforms traditional linear methods and feed forward neural networks by many orders of magnitude.

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