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Modeling Uncertainty-Seeking Behavior Mediated by Cholinergic Influence on Dopamine

Marwen Belkaid\textsuperscript{1,2,*}, Jeffrey L. Krichmar\textsuperscript{3,4}

Abstract
Recent findings suggest that acetylcholine mediates uncertainty-seeking behaviors through its projection to dopamine neurons – another neuromodulatory system known for its major role in reinforcement learning and decision-making. In this paper, we propose a leaky-integrate-and-fire model of this mechanism. It implements a softmax-like selection with an uncertainty bonus by a cholinergic drive to dopaminergic neurons, which in turn influence synaptic currents of downstream neurons. The model is able to reproduce experimental data in two decision-making tasks. It also predicts that: i) in the absence of cholinergic input, dopaminergic activity would not correlate with uncertainty, and that ii) the adaptive advantage brought by the implemented uncertainty-seeking mechanism is most useful when sources of reward are not highly uncertain. Moreover, this modeling work allows us to propose novel experiments which might shed new light on the role of acetylcholine in both random and directed exploration. Overall, this study contributes to a more comprehensive understanding of the role of the cholinergic system and, in particular, its involvement in decision-making.

Keywords: Decision-making, acetylcholine, dopamine, uncertainty

1. Introduction

Animals constantly face uncertainty due to noisy and incomplete information about the environment. From the information-processing perspective, uncertainty is typically considered a burden, an issue that has to be resolved for the animal to behave correctly [Cohen et al. 2007, Rao 2010]. In the framework of reinforcement learning, for example, to allow optimal exploitation and outcome maximization, agents must explore the environment and gather information about action–outcome contingencies [Sutton & Barto 1998, Rao 2010].

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The neural mechanisms driving the decision to perform actions with uncertain outcomes are still poorly understood. In contrast, the processes by which individuals learn to perform successful actions have been extensively studied. Notably, the dopaminergic system is thought to play a key role in these processes, both in the learning related and in the motivation related aspects [Schultz 2002, Berridge 2012, Berke 2018]. Moreover, studies have reported dopaminergic activities that are correlated with the uncertainty of reward [Fiorillo et al. 2003, Linnet et al. 2012].

Another neuromodulatory system which has been largely implicated in the processing of novelty and uncertainty is the cholinergic system. For instance, Yu & Dayan (2005) suggested that acetylcholine (ACh) suppresses top-down, expectation-driven information relative to bottom-up, sensory-induced signals in situations of expected uncertainty, i.e. when expectations are known to be unreliable. Additionally, Hasselmo (1999, 2006) proposed that the level of ACh in the hippocampus determines whether it is encoding new information or consolidating old memories. The cholinergic system also...
interacts with the dopaminergic system. In particular, there are cholinergic projections onto neurons in the ventral tegmental area (VTA), one of the two major sources of dopamine (DA) in the brain (Avery & Krichmar, 2017; Scatton et al., 1980). In a recent study, Naudé et al. (2016) provided evidence that these projections might mediate the motivation to select uncertain actions.

The softmax rule, where the probability of choosing an action is a function of its estimated value, is generally thought to be a good model of human (Daw et al., 2006) and animal (Cinotti et al., 2019) decision-making. But Naudé et al. (2016) showed that the decisions made by wild-type (WT) mice exhibited an uncertainty-seeking bias and followed a softmax function which included an uncertainty bonus. In contrast, mice lacking the nicotinic acetylcholine receptors on the dopaminergic neurons in VTA showed less uncertainty-seeking behaviors and their decisions rather followed the standard softmax rule.

In neural networks, decision-making processes are generally modeled using competition mechanisms (Rumelhart & Zipser, 1985; Carpenter & Grossberg, 1988). Such mechanisms can constitute a neural implementation of the softmax rule. In particular, Krichmar (2008) proposed a model where neurotransmitters act upon different synaptic currents to modulate the network’s sensitivity to differences in input values, much like the temperature parameter in the softmax model (Sutton & Barto, 1998). In this paper, we propose a new version of this model using leaky-integrate-and-fire neurons and an additional uncertainty bonus. We use this model, in comparison with three alternative models, to verify a set of hypotheses about how cholinergic projections to dopaminergic neurons in VTA mediate uncertainty-seeking. We then perform additional simulations to assess the interest of such a mechanism for animals foraging in volatile environments. These simulations suggest that ACh affects behavior by translating uncertainty into a source of motivation thus driving exploratory behaviors.

2. Background

2.1. Dopamine

Dopamine (DA) is involved in decision-making through its role in reward processing and motivation (Schultz, 2002; Berridge, 2012). The largest group of dopaminergic neurons is found in the ventral tegmental area (VTA) (Scatton et al., 1980). It projects to the basal ganglia (BG), in particular to the striatum, but also to the frontal cortex. The substantia nigra is also an important source of dopamine in the BG.

There is strong evidence of the role of dopamine in the learning of the value of actions, stimuli and states of the environment. In this context, Schultz and colleagues hypothesized that the activity of DA neurons encoded a reward prediction error (Schultz, 2002). Indeed, phasic dopaminergic activities show strong correlations with an error in the prediction of conditioned stimuli after Pavlovian learning. Other theoretical accounts suggested that dopamine might signal the value of actions (Howe et al., 2013; Berke, 2018). Berridge and colleagues claimed that DA is essential for “incentive salience” and “wanting”, i.e. for motivation (Berridge & Kringlebach, 2008; Berridge, 2012). For instance, DA deprived rats were unable to generate the motivation arousal necessary for ingestive behavior and could starve to death although they were able to move and eat (Ungerstedt, 1971). However, dopamine has also been suggested to signify novelty, which may be related to an uncertainty signal (Kakade & Dayan, 2002; Redgrave & Gurney, 2006). In summary, the dopaminergic system seems to implement a series of mechanisms that reinforce and favor stimuli and actions that have been rewarding in the past, or that may be of interest in the future.

2.2. Acetylcholine

Acetylcholine (ACh) originates from various structures in the brain: the laterodorsal tegmental (LDT) and the pedunculopontine tegmental (PPT) mesopontine nuclei projecting to the VTA and other nuclei in the brainstem, basal forebrain and basal ganglia (Mena-Segovia, 2016); the medial septal nucleus mainly targets the hippocampus; and the nucleus basalis in the basal forebrain mainly acts on the neocortex (Baxter & Chiba, 1999). In addition, striatal interneurons provide an internal source of ACh in the BG.

ACh has been largely implicated in the processing of novelty and uncertainty. Significant research highlighted this role in the septo-hippocampal cholinergic system for instance. In this case, novelty detection increases the level of septal ACh; novel patterns elicit little recall which reduces hippocampal inhibition of the septum and allows ACh
neurons to discharge (Meeter et al., 2004). In addition, Hasselmo (1999, 2006) proposed that high and low levels of ACh in the hippocampus – during active waking on the one hand, and quiet waking and slow-wave sleep on the other hand – respectively allow encoding new information and facilitate memory consolidation. Similarly, higher activity of the cholinergic neurons in the tegmentum and nucleus basalis have been shown to be associated with cortical activation during waking and paradoxical sleep (Jones, 2005) – a sleep phase physiologically similar to waking states. Thus, various computational models of the cholinergic system have focused on its role in learning and memory (Hasselmo, 2006; Pitti & Kuniyoshi, 2011; Carrere & Alexandre, 2015; Grossberg, 2017).

A complementary theory was developed by Yu & Dayan (2005) suggesting that acetylcholine suppresses top-down, expectation-driven information relative to bottom-up, sensory-induced signals in situations of expected uncertainty, i.e. when expectations are known to be unreliable. To illustrate their theory, the authors modeled the so-called Posner task. Posner (1980) proposed this paradigm to study attentional processes. Typically, a cue is presented to the participants, followed by a target stimulus. Posner (1980) showed that individuals responded more rapidly and accurately on correctly cued trials (i.e. cue on the same side as the target) than on incorrectly cued trials (i.e. cue on opposite side). The difference in response time between valid and invalid trials was termed the validity effect (VE). The model proposed by Yu & Dayan (2005) reproduced the results obtained by Phillips et al. (2000) which showed in rat experiments that the VE varied inversely with the level of ACh which was manipulated pharmacologically. Additionally, ACh has been hypothesized to set the threshold for noradrenergic signaling of unexpected uncertainty (Yu & Dayan, 2005) which calls for more exploration by counterbalancing DA-driven exploitation (Cohen et al., 2007).

2.3. Model Hypotheses

Based on the experimental evidence, we designed our model to study the influence of cholinergic and dopaminergic neuromodulation on the decision-making process. To do so, the above mentioned literature allowed us to derive the following set of hypotheses:

- H1) dopamine encodes the estimated value (Berridge, 2012; Berke, 2018),
- H2) dopamine modulates the decision-making network such as to implement a softmax-like rule (Daw et al., 2006; Krichmar, 2008; Cinotti et al., 2019),
- H3) acetylcholine encodes the estimated uncertainty (Yu & Dayan, 2005),
- H4) acetylcholine increases dopamine firing (Naudé et al., 2016; 2018),
- H5) acetylcholine introduces an uncertainty bonus in the softmax-like decision rule (Naudé et al., 2016).

To account for the difference between wild type (WT) mice and mice in which nicotinic acetylcholine receptors in dopamine neurons were removed (KO), as reported by Naudé et al. (2016), we defined two variants of the neuromodulation component: the WT and KO variants.

3. Methods

3.1. Bandit task

The experiment reported by Naudé et al. (2016) was a 3-armed bandit task adapted for mice. The setup was an open-field in which three target locations were associated with a certain probability of rewards (Figure 1A), which was delivered through intracranial self-stimulation (ICSS). Mice could not receive two consecutive ICSS at the same location. Thus, each time they were at a target location, they had to choose the next target among the two remaining alternatives. As in a classical bandit task, this is referred to as a gamble. Since the outcome was binary (i.e. reward delivered or not), the expected uncertainty was represented by the variance $p(1-p)$ of Bernoulli distributions (Figure 1B).

Naudé et al. (2016) used this task to study the influence of uncertainty on decision-making, and more specifically on the dopaminergic activity under the influence of cholinergic projections. Notably, they showed that while wild type (WT) mice exhibited uncertainty-seeking behavior in their task, such behaviors were suppressed in mice with deleted nicotinic acetylcholine receptors in the dopaminergic neurons in VTA (hereafter KO mice).

3.2. Neural Network Model of Uncertainty Seeking

We modeled the decision-making process involved in this task using an artificial neural network (Figure 1C). This network had three channels, each corresponding to one of the targets. Similar to Krichmar (2008), the competition took place
Figure 1: Bandit task and core model

A) Task setup used by Naudé et al. (2016). B) Expected reward and uncertainty as a function of reward probability in this task. C) Neural network model of decision-making. (see text for description).

in a decision layer where neurons had lateral excitatory and inhibitory connections (i.e. connections with neurons pertaining to the same layer) in addition to extrinsic input from upstream layers. Indeed, Krichmar (2008) showed that this allows switching between exploration and exploitation modes more efficiently than with other models. Neuromodulatory signals driven by the cholinergic and dopaminergic representative neurons modulated this competition. When the dopaminergic activity was low, the low signal-to-noise ratio in decision neurons leaves room for exploration. However, strong dopaminergic activity amplifies the efficacy of extrinsic input connections and those of inhibitory interconnections in order to achieve exploitative decisions. This neuromodulation thus implements a neuronal equivalent to the softmax decision policy based on the value of the target. Moreover, the cholinergic activity increased the firing of DA neurons and introduced an uncertainty bias in the softmax-like neuromodulation of the competition (as we shall explain in Section 3.2.1). As a first step, the value and uncertainty signals are manually provided to the model (see Section 3.2.1). Then, we showed how these can be learned to allow the system to adapt to changes in the environment (see Section 3.5).

All neurons were leaky-integrate-and-fire (LIF) neurons. The change in the membrane potential $V$ is represented as follows:

$$\tau \frac{dV(t)}{dt} = -V(t) + V_{\text{rest}} + I_{\text{in}}(t)R$$

where $\tau$ is the time constant, $V_{\text{rest}}$ is the resting potential, $R$ the resistance of the membrane, and $I_{\text{in}}$ the input current:

$$I_{\text{in}}(t) = I_{\text{ext}}(t) + I_0(t)$$

with $I_0 \sim N(\mu_0, \sigma_0)$

where $I_{\text{ext}}$ and $I_0$ are respectively extrinsic and background input currents. The latter was modeled as a Gaussian distribution $N(\mu_0, \sigma_0)$ and accounted for spontaneous activities, as well as possible other extrinsic inputs which were not specifically modeled here. When the membrane potential was higher than a threshold $V_{\text{th}}$, the neuron fired, i.e. the potential rose to $V_{\text{spike}}$ then decreased to $V_{\text{rest}}$ and a current $I_{\text{out}}$ was transmitted to post-synaptic neurons:

$$\begin{align*}
  \text{If } V(t) > V_{\text{th}} \text{ then } & \begin{cases} 
  V(t) = V_{\text{spike}} \\
  V(t + 1) = V_{\text{rest}} \\
  I_{\text{out}}(t) = 1
  \end{cases}
\end{align*}$$

A single trial of the experiment consisted of a decision made between two target locations. For simplicity, neurons of the target identification layer (in blue in Figure 1A) were tuned such that they fire every two iterations (a spike was followed by a refractory period) with random initialization (i.e. whether the first spike occurred at the first or second iteration). Only the two target neurons corresponding to the current options were activated in each trial.

Similarly to the model used by Krichmar (2008), the extrinsic input current of the decision neurons $I_{\text{ext}}$ (in green in Figure 1A) was defined as follows:
work was determined by the following equations:

\[
I_{\text{ext}}^{\text{dec}}(x, t) = w \times (1 + \eta(x, t)).I_{\text{out}}^{\text{tar}}(x, t) \\
+ \sum_{y \neq x} w \times I_{\text{ext}}^{\text{dec}}(y, t - dt) \\
- \sum_{y \neq x} w \times (1 + \eta(x, t)).I_{\text{out}}^{\text{dec}}(y, t - dt)
\]

where \(x \in \{A, B, C\}\) corresponds to the gambling options, \(w\) is a synaptic weight factor common to all connections and \(\eta\) is a neuromodulation factor which specifically targets upstream and inhibitory connections to change the signal-to-noise ratio as proposed by Krichmar (2008). We will define the \(\eta\) term below.

As for selection neurons (in orange in Figure 1A), the extrinsic input current was simply \(I_{\text{ext}}^{\text{sel}}(x, t) = I_{\text{out}}^{\text{dec}}(x, t)\). This layer implemented a winner-takes-all readout of the decision. The first spike corresponded to the network’s decision.

3.2.1. WT variant

The ability to learn the reward probability and maximize the outcome is thought to be mediated by the dopaminergic system. Thus, in our model, DA activity was a function of the targets value \(v(x)\) representing the reward probability. In addition to the motivation to maximize reward by choosing the target with highest reward probability, Naudé et al. (2016) observed an uncertainty-driven motivation in WT mice. They showed that this uncertainty-seeking behavior was dependent upon the cholinergic projections to DA neurons, which also modulate the dopaminergic activity. Since the expected uncertainty is thought to be encoded by ACh neurons, in our model, ACh activity was determined by the reward uncertainty \(u(x)\) which we represented as the variance of a Bernoulli distribution \(v(x)(1 - v(x))\) (Figure 1B). We defined \(I_u = \sum_{x \in \{O\}} u(x)\) as an input current generated by the overall expected uncertainty in the current trial, and \(I_v = \sum_{x \in \{O\}} v(x)\) as an input current generated by the overall expected rewards in the current trial. Thus, the activity in neuromodulation network was determined by the following equations:

\[
I_{\text{ext}}^{\text{ACH}}(t) = I_u \tag{6} \\
I_{\text{ext}}^{\text{DA}}(t) = I_v + I_{\text{out}}^{\text{ACH}}(t) \tag{7} \\
\eta(x, t) = I_{\text{out}}^{\text{DA}}(t)(v(x) + u(x)) \tag{8}
\]

Introducing the output current of the ACh neuron as an input to the DA neuron is consistent with the increase of dopaminergic activity observed in the presence cholinergic receptors (Graupner et al. 2013 Naudé et al. 2016). Altering connection weights differently for different targets was justified by existing evidence of the sensitivity to local value (Daw et al., 2006) and uncertainty (Naudé et al. 2016) of specific options/actions.

In the bandit task, \(v(x)\) and \(u(x)\) of each target were manually fixed for simplicity. But in the foraging task, these variables were estimated by the model (see Section 3.5).

3.2.2. KO variant

Naudé et al. (2016) showed that uncertainty-seeking was removed in KO mice. These mice’s decisions were rather exploitative, similarly to a classical softmax policy. Thus, in this variant of the model, the cholinergic effect on decision was eliminated and the dopaminergic activity only depended on reward probabilities:

\[
I_{\text{ext}}^{\text{DA}}(t) = I_v \tag{9} \\
\eta(x, t) = I_{\text{out}}^{\text{DA}}(t)v(x) \tag{10}
\]

It is worth noting that equations (8) and (10) introduce only a small difference in the amplitude of the \(\eta\) signal between the WT and the KO variants. The ratio was 1:1.25 because \(v\) varied between 0 and 1 while \(u\) varied between 0 and 0.25 (see Figure 1B). For simplicity, we chose not to compensate for this difference (e.g. using a gain factor of 1.25). The only effect would be to increase the propensity to make exploitative decisions with the KO variant; thus reinforcing rather than contradicting our point.

3.3. Alternative models

The proposed model assumed hypotheses H1, H2, H3, H4 and H5 listed above. To test the limits of this model, we implemented three alternative models – all including a WT and a KO variant – selectively introducing changes in the neuromodulation circuit to challenge these assumption.

Alternative model 1. Acetylcholine has been reported to increase the firing rate of dopamine neurons (Naudé et al. 2016, 2018). In this model, we tested whether this feature alone could account for the difference between WT and KO animals (i.e.
independently from uncertainty). Thus, ACh was set to fire at a similar rate as previously using a constant input. But, uncertainty was not processed by ACh or DA. Hence, there was no difference in the neuromodulation term between the WT and KO variants, both using the form in Equation (10). The only difference between the WT and KO variants was whether ACh activated DA. This alternative model challenged H3 and H5.

**Alternative model 2.** Dopamine has also been hypothesized to signal uncertainty (Fiorillo et al., 2003; Linnet et al., 2012). In this model, we tested whether the difference between WT and KO animal could be captured if DA neurons alone encoded uncertainty along with value. As in Alternative model 1, the ACh neuron also has a constant input independent from reward uncertainty. However, uncertainty is processed by the DA neuron. Hence, there was no difference in the neuromodulation term between the WT and KO variants, both used the form in Equation (8). The only difference between the WT and KO variants is again whether ACh activates DA:

$$I_{DA}^{ext}(t) = \begin{cases} (I_v + I_u)/2 + I_{out}^{ACh}(t), & \text{if WT} \\ (I_v + I_u)/2, & \text{if KO} \end{cases}$$

(11)

Dividing by 2 compensated for the difference in amplitude with the other models. This alternative model challenges H1, H2, H3 and H5.

**Alternative model 3.** The softmax rule is generally thought to be a good model of decision-making in vivo (Daw et al., 2006; Krichmar, 2008; Cinotti et al., 2019). In this alternative model, we tested whether the uncertainty bonus was superfluous. In other words, whether the difference between WT and KO animals can be observed solely with the increase of dopamine firing driven by uncertainty-dependent cholinergic activity. Thus, ACh projections only increase DA firing rate but do not add an uncertainty bonus. Hence, there is again no difference in the neuromodulation term between the WT and KO variants, both used the form in Equation (10). The only difference between the WT and KO variants was whether ACh activates DA. This model challenges H5; it differs from Alternative model 1 in that ACh firing is not driven by a constant input but rather by the estimated uncertainty of reward.

3.4. Foraging task

[Naudé et al. (2016)] did an additional experiment with a dynamic setup simulating a volatile environment. More specifically, in each session, two of the targets were rewarding 100% of time while the remaining one was not. The non-rewarding target changed from one session to another (Figure 4A), which required that animals detect the change of rule and learn the new reward probabilities.

3.5. Learning task statistics

In Equations (6–10), the expected reward probability $v$ and uncertainty $u$ for each target were manually fixed. But to model the dynamic foraging task, these statistics about the environment outcomes could no longer be hardwired and had to be learned by trial-and-error.

To learn the expected reward probabilities, we used the Rescorla-Wagner rule (Rescorla & Wagner, 1972):

$$\frac{dv(x,t)}{dt} = \alpha \delta(x,t)$$

(12)

where $r$ is the reward function, equal to 1 when a reward is obtained, and to 0 otherwise.

Additionally, the reward uncertainty could be estimated as follows (Balasubramani et al., 2014; Naudé et al., 2016):

$$\frac{du(x,t)}{dt} = \alpha (\delta^2(x,t) - u(x,t))$$

(14)

The hyperparameter $\alpha$ was set to 0.1.

3.6. Model fitting

The hyperparameters $\tau$, $V_{spike}$, $V_{th}$, $V_{rest}$, $\mu_0$ and $\sigma_0$ were common to all neurons and were set manually so as to determine the dynamics of the network (see values in Table 1). The values of $R_{ach}$ and $R_{da}$, i.e. the membrane resistance in ACh and DA neurons respectively, was accordingly set to match the mean firing rate reported by [Naudé et al., 2018]. For ACh neurons, there was less data available and the reported frequencies are highly variable (for example, Mena-Segovia et al. (2008) report firing rates from 1Hz to 30Hz in the pedunculopontine nucleus). Therefore, we did not attempt to fit a specific spike rate. However, we found the firing rate obtained by our model to be within an acceptable range (see Figure 2C).
The values of $R_{\text{dec}}$, $R_{\text{sel}}$ and $w$, i.e. respectively the membrane resistance in the decision and the selection layers and the baseline synaptic weight in the lateral connection within the decision layer, were optimized using a grid search (see ranges listed in Table 1) to fit the proportion of exploitative choices observed by Naudé et al. (2016) in WT and KO mice. The models’ results were averaged over 30 runs comprising 300 trials each and the fitness score $S$ was calculated as follows:

$$S = 100 - \left( \sum_{g \in \mathcal{G}} |X^{WT}_{\text{mice}}(g) - X^{WT}_{\text{model}}(g)| \right)$$

$$+ \frac{1}{6} \sum_{g \in \mathcal{G}} |X^{KO}_{\text{mice}}(g) - X^{KO}_{\text{model}}(g)|$$

where $X$ is the average proportion of exploitative choices and $\mathcal{G}$ is the set of gambles. Thus, the score computed the similarity between the results of a model and the data by subtracting the average distance – over the three gambles with both WT and KO variants – from a theoretical upper bound of 100.

4. Results

4.1. Bandit task

In this task reported by Naudé et al. (2016), animals had to make binary choices (called gambles)

<table>
<thead>
<tr>
<th>Hyperparameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>$\tau$</td>
<td>20</td>
</tr>
<tr>
<td>$V_{\text{spike}}$</td>
<td>5</td>
</tr>
<tr>
<td>$V_{\text{th}}$</td>
<td>1</td>
</tr>
<tr>
<td>$V_{\text{rest}}$</td>
<td>-2</td>
</tr>
<tr>
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</tr>
<tr>
<td>$\sigma_0$</td>
<td>0.05</td>
</tr>
<tr>
<td>$R_{\text{ach}}$</td>
<td>60</td>
</tr>
<tr>
<td>$R_{\text{da}}$</td>
<td>5.5</td>
</tr>
</tbody>
</table>

$R_{\text{dec}}$, $R_{\text{ach}}$, $R_{\text{da}}$, $V_{\text{spike}}$, $V_{\text{th}}$, $V_{\text{rest}}$, $\mu_0$ and $\sigma_0$ were chosen manually. $R_{\text{ach}}$ and $R_{\text{da}}$ were set to fit experimentally observed firing rates of DA neurons. $R_{\text{dec}}$, $R_{\text{ach}}$ and $w$ were optimized through a grid search.

Table 1: Hyperparameter values (when set) and ranges (when optimized). The hyperparameters $\tau$, $V_{\text{spike}}$, $V_{\text{th}}$, $V_{\text{rest}}$, $\mu_0$ and $\sigma_0$ were chosen manually. $R_{\text{ach}}$ and $R_{\text{da}}$ were set to fit experimentally observed firing rates of DA neurons. $R_{\text{dec}}$, $R_{\text{ach}}$ and $w$ were optimized through a grid search.

Figure 2: The proposed model reproduces mice behavior A) Schematic illustration of the task setup and the three possible gambles. B) Example of spike trains generated by the model. C) Mean firing rate produced by the WT and KO versions of the model. D) Percentage of exploitative transitions (i.e. choosing the option with the highest reward probability) in each gamble. WT and KO mice (Left) had distinct profiles, which the WT and KO variants (Right) were able to reproduce. E) Percentage of targets selection as a function of their reward probability. The model (Right) also reproduced the repartition of choices exhibited by mice (Left). F) Dwell time (i.e. time to decision) was also similar between targets with our model (Right), like in mice (Left). Mice results were plotted with data from Naudé et al. (2016). N=30 runs were used to plot the model’s results.
among the remaining two out of three target locations that were set to deliver rewards with probabilities $P = 25\%$, $50\%$ and $100\%$ respectively (Figure 2A). We modeled this decision-making process with a neural network (Figure 1C). The hyperparameters determining the dynamics of the model were first manually set to match the mean firing rate reported by Naudé et al. (2018) in DA neurons in vivo (Figure 2B and C). The remaining hyperparameters of the model were optimized to fit the proportion of exploitative choices observed by Naudé et al. (2016) in WT and KO mice (Figure 2D). As a result, the model reproduced experimental data (Figure 2D). Notably, the two groups had distinct profiles, which corresponded to an uncertainty bonus and a standard softmax decision rule, respectively.

Interestingly, the WT and KO variants also reproduced the repartition of choices among targets (i.e. overall percentage of times each target was selected across trials) that was observed by Naudé et al. (2016) (Figure 2E). As with the softmax rule, KO mice and the corresponding model selected targets proportionally to their probability of reward whereas WT mice and the corresponding model exhibited a bias in favor of uncertainty in
the case of reward probability 50%. Additionally, like in mice, there was no difference between the targets in terms of dwell time (i.e. time to make a decision, calculated in the model as the time of the first spike in the trial). In other words, there was no effect of the reward probability on the decision time \((H = 4.70, p = 0.09, \text{Kruskal-Wallis test; Figure 2F})\). Importantly, these two criteria (repartition of choices and dwell time) were not explicitly optimized by the model fitting procedure.

To further validate our model, we tested three alternative models that introduced two types of changes in the neuromodulatory component: i) uncertainty could be either encoded by dopamine directly (alt2) or not taken into account at all (alt1), ii) if uncertainty was not encoded by DA, the softmax rule was used for both WT and KO variants (alt1 and alt3), iii) the absence of ACh receptors on DA only affected the latter’s firing, but not the neuromodulatory effect (all alternative models; summarized in Figure 3A, refer to ‘Methods’ for more detailed explanation). Upon optimization, none of the alternative models were able to fully fit the behavioral data. Indeed, the fitness scores (calculated using Equation (15)) for these alternative models were significantly lower than our model’s (model versus alt1, \(t(29) = 3.38, p = 0.0013\), model versus alt2, \(t(29) = 5.63, p = 10^{-6}\), model versus alt3, \(t(29) = 3.35, p = 0.0014\), t-test; Table 2). Fitness scores quantified the ability of the WT and KO variants of a model to fit the proportion of exploitative transitions made by the corresponding group of mice. Lower scores can be explained by the fact that WT variants of the alternative models did not follow the same linear increase from gamble 1 to 3 in terms of exploitative transitions (Figure 3B). Also, the slope of the repartition is higher for alt1 than with the proposed model and the data for example (see Figure 3C). Moreover, qualitatively, the differences in exploitative transitions and probability of selection of each target between the WT and KO variants were smaller than with our model (Figure 3B and C).

4.2. Foraging task

We also tested our model in a foraging task where only two of the targets were rewarding. The non-rewarding target changed from one session to another (Figure 4A). In such a volatile environment, animals must detect the changes in reward probabilities and adapt their decisions accordingly. We initially tested a setup in which rewarding targets had 100% probability as in the original experiments \([\text{Naudé et al.} 2016]\). In line with the experimental results, we found that the KO variant had a lower foraging efficacy (i.e. global reward rate) than the WT variant (WT versus KO: \(t(29) = -3.92, p = 0.0002\), t-test; Figure 4B). We split the sessions in half to analyze the model’s behavior more closely (Figure 4C). The WT and KO variants had similar failure rates (i.e. proportion of unrewarded choices) in the beginning of sessions (WT versus KO, \(U = 4249.0, p = 0.566\), Mann-Whitney test), and both significantly reduced their failure rates at the end of session (beginning versus end of session for WT, \(T = 854.5, p = 6.10^{-11}\), for KO, \(T = 854.5, p = 5.10^{-5}\), Wilcoxon test). However, the rate of failure was significantly lower at the end of session for the WT variant (WT versus KO, \(U = 5695.5, p = 2.10^{-6}\), Mann-Whitney test), suggesting that the KO variant adapted more slowly to condition changes.

To assess how robust this effect was on foraging efficacy, we further tested similar setups where reward probability in the two rewarding targets were lower (but still equal) resulting in higher uncertainty: \(p=90\%\), \(75\%\) and \(50\%\) probability of reward corresponding to mid-low, mid-high and high uncertainty. The model successfully estimated the expected reward probability \(v\) and uncertainty \(u\) (Figure 4D; see Equations [13 - 14]). While the foraging efficacy was still higher for the WT variant with reward probability 90% (WT versus KO: \(t(29) = -4.64, p = 2.10^{-5}\), t-test; Figure 4E), the difference was no longer significant with a probability of 75% (WT versus KO: \(t(29) = -1.89, p = 0.06\), t-test; Figure 4E) and 50% (WT versus KO: \(t(29) = -1.73, p = 0.08\), t-test; Figure 4E).

Overall, these results demonstrated the impor-

<table>
<thead>
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<th>(R^{dec})</th>
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<th>Score</th>
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<td>alt 3</td>
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Table 2: Model fitting results. Optimized parameters and fitness scores. All models have the same number of parameters. The proposed model has the highest score. \(R^{dec}\) and \(R^{sel}\) are the membrane resistance in the decision layer and the selection layer respectively. Stars indicate the results of a t-test comparison between the model’s score to each of the alternative models’ score: ** \(p < 0.01\), *** \(p < 0.001\).
Prominent theories about the role of acetylcholine hold that it helps control the balance between the storage and update of memory (Hasselmo, 1999) and between top-down expectation-driven and bottom-up stimulus-driven attention (Yu & Dayan, 2005; Cohen et al., 2007; Avery et al., 2012). Accordingly, most computational models of this neuromodulator at the functional level focus on memory and attention related functions (Hasselmo, 2006; Pitti & Kuniyoshi, 2011; Carrere & Alexandre, 2015; Grossberg, 2017; Yu & Dayan, 2005; Avery et al., 2012). In this paper, we targeted another aspect of the cholinergic action which was highlighted in recent experimental studies (Naudé et al., 2016, 2018). These studies suggest that, through their projections to dopaminergic neurons in the ventral tegmental area, mesopontine cholinergic neurons promote exploratory uncertainty-seeking behaviors. In other words, that the neuromodulator participates in the process by which individuals decide to perform actions associated with uncertain outcomes.

We modeled this process using a decision-making neural network under the influence of cholinergic and dopaminergic modulation based on hypotheses drawn from the literature. We used representative LIF neurons, which allowed us to tie neuromodulation to realistic spike rates and to introduce intra- and inter-trial variability. Yet, keeping the model relatively minimal allowed us to systematically test the plausibility of the non-trivial idea which is central in this study: that the exploration bonus is indirectly applied through the cholinergic effect on dopaminergic activity. We evaluated the model in two decision-making tasks – bandit task and foraging task – and successfully reproduced the behavioral results reported by Naudé et al. (2016).
The model fits the experimental data from the bandit task better than three alternative models, which differed in the expression of the neuromodulation component. Qualitatively, these alternative models exhibit a smaller difference between the WT and the KO variants (see Figure 3B and 3C) than reported in the data from Naudé et al. (2016). Both variants (WT and KO) exhibit a softmax-like behavior with a marked linear relation between the reward probability of a target and the probability of choosing it (see Figure 3C). These qualitative differences are captured and summarized by the significantly higher fitness scores of the proposed model in comparison with the alternative ones (see Table 2).

Overall, our results support the notion that the cholinergic influence on dopamine mediates a selective exploration mechanism. Moreover, the model makes testable predictions: i) the correlation of dopaminergic activity with reward uncertainty as reported by Fiorillo et al. (2003) should not be observed in the absence of the cholinergic influence on DA neurons; ii) the adaptive advantage brought by the implemented uncertainty-seeking mechanism is most useful when sources of reward are not highly certain.

Our model of cholinergic modulations differs from those existing in the literature in that it studies acetylcholine's interplay with another neuromodulator (namely dopamine) and the subsequent effect on decision-making circuit when uncertainty varies locally (i.e. for each action). Indeed, to our knowledge, previous studies rarely addressed the case where different options have different levels of uncertainty. For example, in the works by Yu & Dayan (2005) and Avery et al. (2012), uncertainty is computed globally for each trial. Additionally, these models modeled the relation between acetylcholine and norepinephrine, but not dopamine. On the other hand, Zannone et al. (2018) addressed the interplay between acetylcholine and dopamine. However, the role of acetylcholine in their model is to perform a systematic exploration, suppressing unrewarded choices to accelerate the discovery of the reward. Their study did not specifically investigate the effect of uncertainty. Additionally, only one source of reward was provided during each trial in their simulations. Therefore, our model provides a novel and complementary account with respect to previous studies by investigating uncertainty-seeking behavior driven by the cholinergic and dopaminergic effect on decisions between competing options associated with different levels of uncertainty.

How animals generate variable decisions and manage the exploitation-exploration dilemma (i.e., choosing between predictably rewarding actions and other uncertain and suboptimal options) is still poorly understood. It has been suggested that humans rely on two types of exploratory behaviors (Wilson et al., 2014): directed exploration in which uncertain actions are purposely chosen for the sake of information-gathering; and random exploration where actions are selected regardless of their predicted outcome. Our model formally describes how these two exploratory processes can be implemented: the former via the uncertainty bonus driven by the cholinergic influence on dopamine and the latter through a global decrease of dopaminergic modulation of decisions which results in lower selectivity and higher sensitivity to noise. This model could thus be tested against other experimental data to further assess the validity of this formal description.

Moreover, some models suggest that the striatal cholinergic interneurons modulate the level of noise during action selection in the basal ganglia (Stocco, 2012). This implies a key role of acetylcholine, not only in directed exploration as we show in this paper, but also in random exploration. We believe that new experimental studies are required which specifically investigate this possible dual implication of acetylcholine in exploratory processes. For instance, using tasks that leverage both random and directed exploration, lentiviral expression could selectively target cholinergic receptors in the striatum and in VTA to evaluate their respective involvement in these behaviors as well as possible interdependences. Furthermore, it is still unclear whether the cholinergic receptors in VTA dopamine neurons are required for learning the uncertainty bonus or solely for operating the bonus during action selection. These two alternatives could be differentiated experimentally via genetic-chemical manipulations rendering the cholinergic receptors light-controllable (Durand-de Cuttoli et al., 2018). If the receptors are switched off during the initial sessions in which animals learn the statistics of reward delivery, and then switched on again, we should be able to observe whether the uncertainty seeking behavior appears rapidly or requires additional learning.

This work is a step toward a more comprehensive understanding of the implication of the dopamin-
ergic and cholinergic systems in decision-making. It highlights their role in motivation and the execution of decisions. More effort is yet needed to further disentangle these neural mechanisms. For instance, more realistic neuron models could offer a complementary insight into the learning process [Deperrois et al. 2019]. It has also been suggested that to be able to account for both learning and motivation related processes, it is important to distinguish dopamine cell firing from local dopamine release on dopamine terminals [Berke 2018]. Thus, a more detailed model of the decision-making network might be necessary to fully capture the role and functioning of the neuromodulators in these processes. By showing how ACh might drive uncertainty seeking behavior through its influence on DA, the present model is a first step in that direction.

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7. Authors’ contributions

MB and JLK designed the study. MB implemented the model, analyzed the data and wrote the initial draft. MB and JLK reviewed and edited the manuscript.

References


