



HAL
open science

The influence of charge ordering in the microscopic structure of monohydroxy alcohols

Martina Požar, Bernarda Lovrinčević, Aurélien Perera

► **To cite this version:**

Martina Požar, Bernarda Lovrinčević, Aurélien Perera. The influence of charge ordering in the microscopic structure of monohydroxy alcohols. *Journal of Physics: Condensed Matter*, 2024, 36 (26), pp.265102. 10.1088/1361-648X/ad3870 . hal-04548264

HAL Id: hal-04548264

<https://hal.sorbonne-universite.fr/hal-04548264>

Submitted on 16 Apr 2024

HAL is a multi-disciplinary open access archive for the deposit and dissemination of scientific research documents, whether they are published or not. The documents may come from teaching and research institutions in France or abroad, or from public or private research centers.

L'archive ouverte pluridisciplinaire **HAL**, est destinée au dépôt et à la diffusion de documents scientifiques de niveau recherche, publiés ou non, émanant des établissements d'enseignement et de recherche français ou étrangers, des laboratoires publics ou privés.

The influence of charge ordering in the microscopic structure of monohydroxy alcohols

Martina Požar[‡], Bernarda Lovrinčević[‡], and Aurélien Perera^{†*}

March 5, 2024

[‡]Department of Physics, Faculty of Science, University of Split, Ruđera Boškovića 33, 21000, Split, Croatia.

[†]Laboratoire de Physique Théorique de la Matière Condensée (UMR CNRS 7600), Sorbonne Université, 4 Place Jussieu, F75252, Paris cedex 05, France.

Abstract

While radiation scattering data provides insight inside the microstructure of liquids, the Debye relation relating the scattering intensity $I(k)$ to the atom-atom structure factors $S_{ab}(k)$ shows that, ultimately, it is these individual structure correlation functions which contain the relevant information about the micro-structure. However, these quantities are not observables, except in few cases where one can invert the Debye relation to obtain the structure functions. In the majority of other cases, the need for model dependent computer simulations is unavoidable. The resulting calculations reveal that the scattering pre-peak is the result of cancellations between positive pre-peaks and negative anti-peaks contributions from the atom-atom structure factors. What of systems where this cancellation is such that it entirely suppresses the scattering pre-peak? One would be tempted to falsely conclude that there is no underlying micro-heterogeneity. Hence, the structure functions appear as hidden variables, and it is important to understand the relation between their features and the micro-structure of the system. Through the computer simulation study of various mono-ols, ranging from methanol to 1-nonanol, as well as the branched octanols, we show how the features of the atom-atom pair correlation function $g_{ab}(r)$ affect that of the structure factors $S_{ab}(k)$, and reveal that the micro-structure is ultimately the result of the charge ordering between different atoms in the system.

*Corresponding author: aurelien.perera@sorbonne-universite.fr

1 Introduction

Radiation scattering provides an experimental method for probing the microstructure of liquids and mixtures [1, 2, 3], but provides disputable insights about the exact nature of this microstructure. For instance, the intensity $I(k)$ of scattering experiments on colloids is usually interpreted in terms of the sole colloid structure factor $S(k)$ using the following expression [4]:

$$I(k) = [f_c(k)]^2 S(k) \quad (1)$$

where $f_c(k)$ is the form factor of the colloid, reflecting its shape, and neglecting all other other molecules present in the solution, such as the solvent, for example. In the case when the colloid is a micelle, the proper expression would be the Debye formula [5, 6]:

$$I(k) = \sum_{i,j} f_i(k) f_j(k) S_{ij}(k) \quad (2)$$

where the sum runs over *all pairs of atoms* i and j present in the molecules that make the colloidal solution, and where the $f_i(k)$ are the atoms form factors and $S_{ij}(k)$ the atom-atom structure factor, including the intra-molecular contributions from the various molecules in the solution. As to how Eq.(1) emerges from Eq.(2) is an open problem. For instance, one could separate in Eq.(2) the sum over atoms which make up the molecules found in the micellar colloids, and would require to neglect the other atom contributions, namely that of the solvent, ions and co-ions, as well as the cross-terms between these molecules and those of the colloidal micelles. It is difficult to imagine how this could justified, and moreover how the “shape” of the micelle would emerge from those terms retained in Eq.(2). Yet, it is an experimental fact that both expressions are found equivalent in many cases. Clearly, in view of the massive amount of data confirming Eq.(1), it would be important to show the equivalence of these 2 equations.

Another similar problem concerns radiation scattering data from aqueous mixtures of *small* surfactant like molecules, such as nonionic polyoxy-ethylene monoalkyl ether surfactants. The experiments [7, 8] show a variety of behaviour for the $I(k)$ at small k , namely Ornstein-Zernike (OZ) type behaviour and Teubner-Strey (TS) behaviour. The former has a large peak at $k = 0$, whereas the latter has a well defined pre-peak. One might conclude that the corresponding latter mixtures may have aggregated structures which are responsible for the pre-peak, while the former may not have such structures. Yet, computer simulations of aqueous mixtures with simpler alcohols, such as tert-butyl alcohol, for example, shows micro-domain separation [9, 10, 11, 12, 13]. In this context, it is quite clear that, while various types of aggregative structure may exist, these may not necessarily lead to the pre-peak feature, hence posing the question of the exact origin of the presence or absence of the pre-peak in Eq.(2).

In the present paper, we study the more modest problem of how the various atom-atom correlations in neat monools combine to produce the experimentally

observed x-ray scattering intensity, which are well known to be characterised by the pre-peak feature [14, 15, 16, 17, 18, 19, 20, 21, 22, 23].

2 Theoretical and simulation details

2.1 Charge order and pre-peak

Charge order in liquids have been documented since the first studied of ionic melts [24, 25], and more recently in room temperature ionic liquids (RTILs) [26, 27, 28, 29, 30], particularly in relation to the radiation scattering pre-peak. Model calculations [31] show that the pre-peak, which does not exist in simple ionic melts, comes from the charge ordering in presence of uncharged groups attached to them. Alcohols also have such a scattering pre-peak [18, 32, 33, 34, 16, 19, 17, 35, 36, 37, 38]. Since charges in alcohol are tied into the hydroxyl head group, while these are detached in RTILs into anion and cation groups, it is clear that charge ordering has nothing to do with polar/apolar order. It is a very simply the basic Coulomb fact that unlike charges attract each other while like charges repel. A real space picture or charge order for simple ionic liquids, such as NaCl melt, is that there is a local cubic lattice type order, which is reminiscent of that found in NaCl crystal, but in a disordered equivalent [31]. This is sharp contrast with the icosahedron 12 neighbour disorder found in a simple Lennard-Jones liquid for instance.

With complex molecules bearing partial charges, this leads to several near neighbour positioning possibilities, thus sampling a variety of micro-states. The presence of uncharged groups introduces a supplementary constraint, since both types of charged groups try to avoid them. In absence of bonds tying the uncharged groups to the charged ones, one would quite simply observe a phase separation, with pre-transitional scattering raise at $k = 0$. The scattering pre-peak can be interpreted as a consequence of the avoided phase separation, induced by the covalent bonding of the various groups. In fact, we have demonstrated [39] that charge order with bond constraints leads to a non-uniform near neighbour positioning of the charged group, often in form of a chain of oppositely charges sitting in alternance. This local molecular conformation leads to typical features in the pair correlation functions $g_{ab}(r)$, between 2 charged atomic sites of opposite valences, which we have described elsewhere: the strong pair Coulomb interaction raises the first contact peak in the $g_{ab}(r)$, while the lack of uniform spherical distribution of next and higher order neighbours leads to a depletion correlation feature below one for medium distance in $g_{ab}(r)$. The first feature gives, by Fourier transform, a wide and high $k = 0$ peak in the corresponding structure factor $S_{ab}(k)$ while the second feature leads to a narrow and small negative anti-peak at $k = 0$. The total contribution to $S_{ab}(k)$ is then a positive pre-peak. Anti-peaks in $S_{ab}(k)$ happen in a similar way, but for pair of sites that are weakly correlated or fully uncorrelated, such as a charged and an uncharged site. For instance, the case of alcohols, the hydroxyl head group atoms tend to be uncorrelated with the hydrophobic tail atoms. In this case the first

neighbour correlations are depleted, and mostly below 1, and raise again above one at medium distances. This combination leads to a total negative anti-peak, as we will discuss in the Results section below.

The total radiation scattered intensity $I(k)$ by molecular liquids is given by the Debye expression similar to Eq.(2), in terms of all the site-site structure factors:

$$I(k) = \alpha \sum_{i,j} \sqrt{x_i x_j} \sum_{a_i, b_j} f_{a_i}(k) f_{b_j}(k) F_{a_i b_j}^{(t)}(k) \quad (3)$$

where the first sum runs over all the molecular species i and j , and the second sum over all the atoms a_i of molecular species i and b_j of molecular species j , the $f_{c_n}(k)$ are the form factor for atom type c_n of molecular species n , and are radiation dependent, α is a radiation dependent coefficient, x_i is the mole fraction of species i , and the total *static* intermediate scattering function $F_{a_i b_j}^{(t)}(k)$ (also called total structure factor $S_{ab}^{(T)}(k)$ in our previous papers [22, 40]) is defined as:

$$F_{a_i b_j}^{(t)}(k) = F_{a_i b_j}^{(s)}(k) + F_{a_i b_j}^{(d)}(k) \quad (4)$$

where the self-part $F_{a_i b_j}^{(s)}(k)$ is in fact the intra-molecular structure factor, and the distinct part $F_{a_i b_j}^{(d)}(k)$ is defined in terms of the atom-atom structure factors $S_{a_i b_j}(k)$ as

$$F_{ab}^{(d)}(k) = \rho \sqrt{x_i x_j} S_{a_i b_j}(k) \quad (5)$$

with

$$S_{a_i b_j}(k) = \int d\mathbf{r} \exp(i\mathbf{k} \cdot \mathbf{r}) [g_{a_i b_j}(r) - 1] \quad (6)$$

The self intermediate scattering function, defined only for atoms of the same species i , has a simple expression for rigid molecules, in terms of the atom-atom intra-molecular distances $d_{a_i b_i}$, as:

$$F_{a_i b_j}^{(s)}(k) = \delta_{ij} j_0(k d_{a_i b_i}) \quad (7)$$

where δ_{ij} is a Kronecker symbol and $j_0(x) = \sin(x)/x$ is the zeroth-order spherical Bessel function. For non-rigid-molecules, one must compute the self intra-molecular function $g_{a_i b_i}^{(s)}(r)$ by computer simulations, much the same way one computes the inter molecular pair distribution function $g_{a_i b_j}(r)$, by building the histogram of neighbouring atoms:

$$g_{ab}(r) = \frac{H_{ab}(r, \delta r)}{N_i^2 \delta V(r, \delta r)} \quad (8)$$

where $H_{ab}(r, \delta r)$ is the number of atoms b in a spherical shell of radii r and thickness δr , centered on atom a , N_i is the number of molecules of species i in a volume V , and $\delta V(r, \delta r) = (4\pi r^2 \delta r)/V$ is the normalised volume of the shell.

Eq.3 shows that positive pre-peaks and negative anti-peaks can cancel each other, to leave either no peak, or a residual pre-peak in $I(k)$. It is this residual

pre-peak which is interpreted in terms of the existence of clusters in scattering experiments. However, it is clear that it is the $g_{ab}(r)$ and the $S_{ab}(k)$ which are the true indicators of the preferred molecular dispositions inside the liquid. Interestingly, it is the $g_{ab}(r)$ which is the ultimate structure indicator, since, as discussed above, the pre-peak of the structure factor $S_{ab}(k)$ is itself the result of a cancellation of 2 features of the $g_{ab}(r)$. Therefore, it is perhaps more important to analyse these functions, rather than the scattering intensity $I(k)$. Molecular simulation allows to do that, albeit with the price of representing the true liquids by molecular models, with all the bias that it introduces.

2.2 Molecular models and simulation details

The simulations were performed with the program package Gromacs [41, 42], using the following protocol for all alcohols. The Packmol program [43] was used to generate random configurations of 2048 molecules for all systems. This system size is sufficient for studying the structure of monools with long alkyl tails, as shown in our previous work [22]. After minimizing the energy, we equilibrated the systems by doing two consecutive runs of 1 ns, first in the canonical (NVT) and then in the isobaric-isothermal (NpT) ensemble. The latter ensemble was used in the following production runs, which lasted 5 ns and sampled at least 2000 configurations for the subsequent calculations of the site-site correlation functions $g_{ab}(r)$.

All alcohols were simulated in ambient conditions, at the temperature of $T = 300$ K and pressure $p = 1$ bar. The temperature was maintained with the Nose-Hoover thermostat (time constant of 0.1 ps) [44, 45], whereas the pressure was achieved with the Parrinello- Rahman barostat (time constant of 1 ps) [46, 47]. The time step of 2 fs was used for all systems and the integration algorithm was leap-frog [48]. For short-range interactions the cut-off radius was 1.5 nm. For the long-range Coulomb interactions we used the particle mesh Ewald (PME) method [49], with FFT grid spacing of 0.12 nm and interpolation order of 4. The LINCS algorithm [50] was utilized for the constraints.

All of the alcohols were modeled as united-atom, using the classic OPLS forcefield for alcohols [51].

3 Results

3.1 Non-branched mono-ols

Fig.1 shows the oxygen-oxygen pair correlation functions $g_{OO}(r)$ in the left panel and the corresponding structure factors $S_{OO}(k)$ in the right panel, for simulated monohydroxy alcohol ranging from methanol to 1-nonanol. The left panel shows very clearly how the O-O correlations increase dramatically from methanol to 1-nonanol, even though the partial charges on the oxygen and hydrogen sites remain the same across models, and the contact position remains the same. The reason for this increase is that, for the same packing fraction of atoms, there

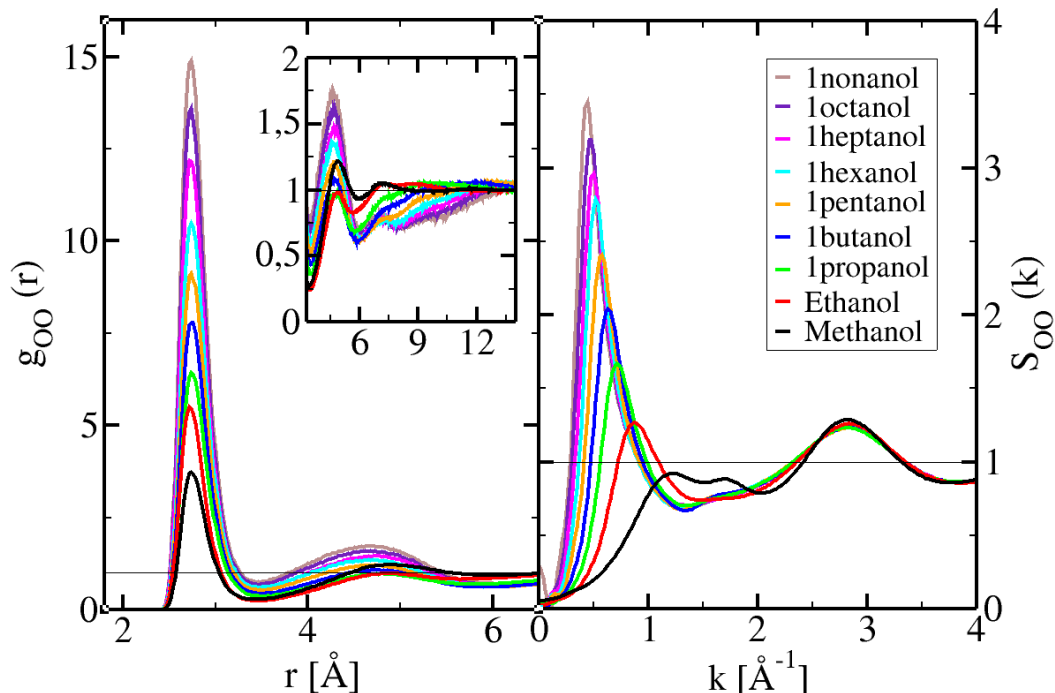


Figure 1: Left panel: oxygen-oxygen pair correlation functions $g_{OO}(r)$ for methanol up to 1-nonanol. The inset is a zoom on the depletion correlation part (see text). Right panel: corresponding structure factors $S_{OO}(k)$ (the color codes are shown on the side).

are much less hydroxyl groups in 1-nonanol than in methanol. Hence, their contact probability increases in inverse proportion to their rarity, which is just a statistical effect. In contrast, the depletion part, shown in the inset, increases both in width and strength when going from methanol to 1-nonanol, suggesting longer hydroxyl chains in 1-nonanol than in methanol.

Both observations are corroborated in the analysis of the structure factors. The Hbond peak at $k_{HB} \approx 3 \text{ \AA}^{-1}$ is related to the distance hydrogen bonding distance between oxygen and hydrogen $r_{HB} = 2\pi/k_{HB} \approx 2 \text{ \AA}$ (see Fig.2 for an explanation). The peak at $k \approx 1.5 \text{ \AA}^{-1}$, which is quite visible for methanol, and barely marked for the other alcohols, corresponds to the distance $r \approx 3.4 \text{ \AA}$ which is the diameter of the oxygen atom in the OPLS model [51]. The weakness of this peak indicates that the direct, non-bonding, contact between the two oxygen is not very likely, since it is the Hbond mediated contact which is preferred. The prominent feature is the pre-peak, which is at $k_{PP} \approx 1.25 \text{ \AA}^{-1}$ up to $k_{PP} \approx 0.5 \text{ \AA}^{-1}$ for 1-nonanol, shows the increase of the hydroxyl chains with alcohol size. This is confirmed by the snapshots from the simulations, which show clear long chains

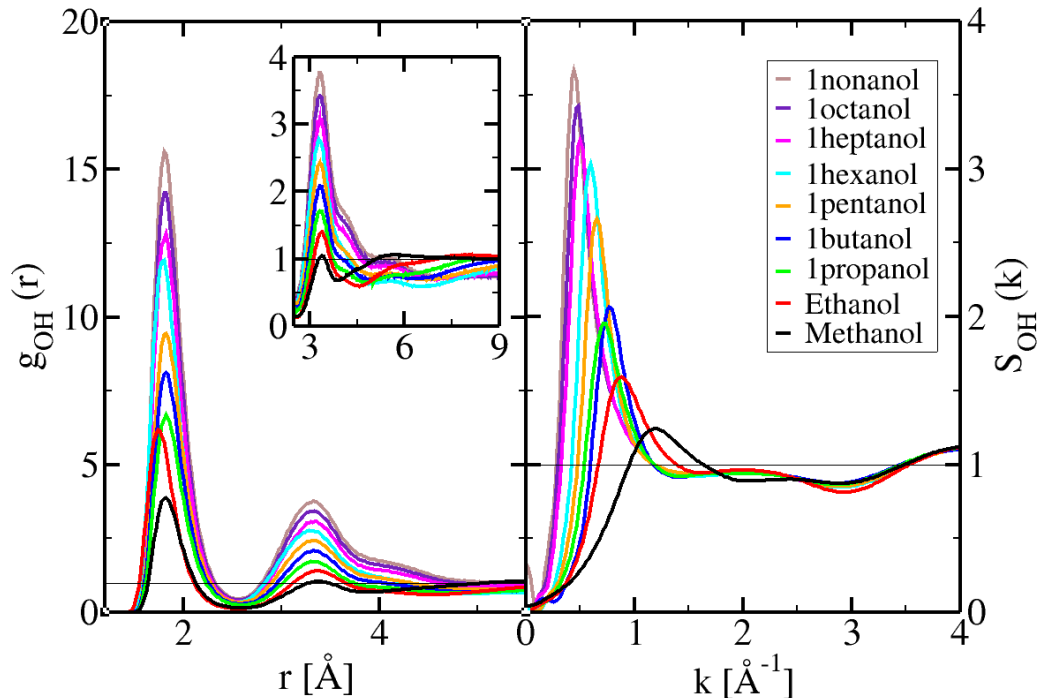


Figure 2: Left panel: oxygen-hydrogen pair correlation functions $g_{OH}(r)$ for methanol up to 1-nonanol. The inset is a zoom on the depletion correlation part (see text). Right panel: corresponding structure factors $S_{OH}(k)$ (the color codes are shown on the side).

in the case of longer alcohols. However, the direct cluster analysis [22] shows that the *average* cluster size remain more or less constant across all monohydroxy alcohols, with about 5 hydroxyl groups per chain. We have no explanation for this puzzling fact.

Fig.2 shows the oxygen-hydrogen correlations for the same cases as in previous figure 1. Although the first peak of the $g_{OH}(r)$ and the pre-peak of the $S_{OH}(k)$ offer strong similarities with the previous case, we note that the $g_{OH}(r)$ are positioned at the O-H bonding distance, as expected. But the most important feature is the charge order between like and unlike charges. This is seen from the peak/anti-peak features which characterise charge order correlations, as demonstrated in our previous work [31, 52].

Accordingly, we note that the second neighbour OH peak at $r \approx 3.5\text{\AA}$ in Fig.2 coincides with the first minimum of the OO in Fig.1. This is even more striking in k-space, when the peak at $k \approx 3\text{\AA}^{-1}$ coincides with the minimum at the same k-value in Fig.2 right panel. This would be more apparent if both plots would be superimposed, but aside from this, it would be also unreadable.

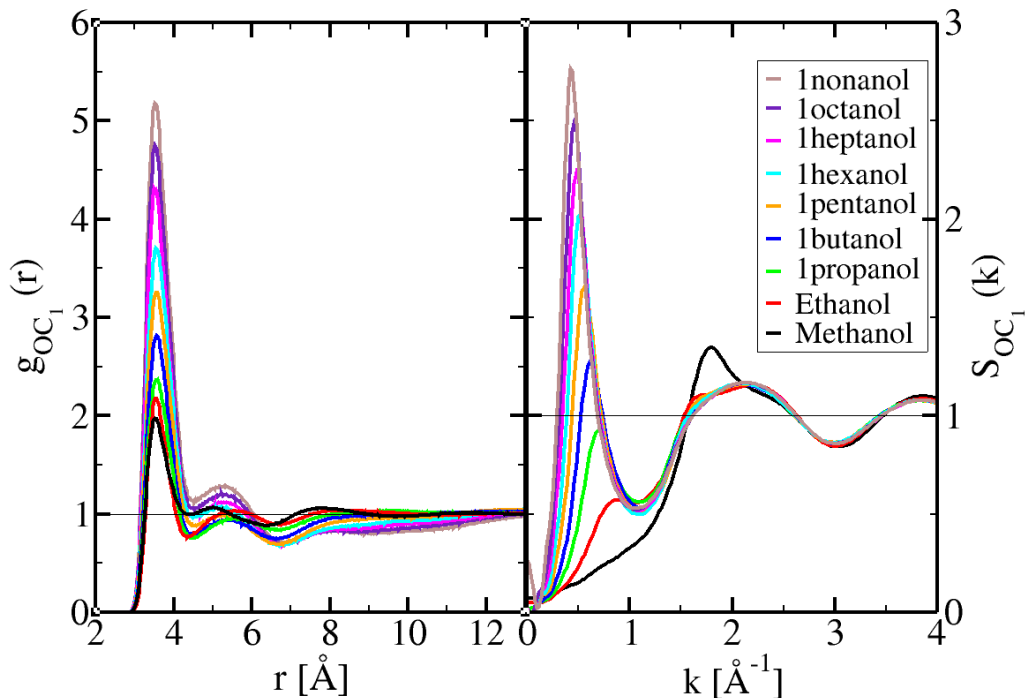


Figure 3: Left panel: Pair correlation functions $g_{OC_1}(r)$ between the oxygen and the carbon atom in the first methylene group for methanol up to 1-nonanol. Right panel: corresponding structure factors $S_{OC_1}(k)$ (the color codes are shown on the side).

These features are simple translation of the alternation of the O and H atoms along the hydroxyl group chain aggregates.

It is instructive to look at the oxygen atom correlation with the first carbon of the alkyl chain. In all force field model, this atom is weakly charged, essentially to neutralize the total charge on the molecule. The valence is too weak to speak of charge ordering. Nevertheless, it is important to confirm if this is true. Fig.3 shows the $g_{OC_1}(r)$ and $S_{OC_1}(k)$. We note that the generic patterns of the correlations are very similar to that of OO correlations in Fig.1, albeit with reduced magnitudes. This is compatible with the weak charge of the C_1 carbon. In addition, since this carbon is the closest to the hydroxyl head group, it seem natural that the correlations are slaved to that between the oxygens. This would happen even of the carbon was not charged.

The left panel shows the corresponding structure factors $S_{OC_1}(k)$. We observe again features very similar to that in the left panel of Fig.1, albeit with lesser magnitude.

Now, we look at the inter-molecular correlations between the head oxygen

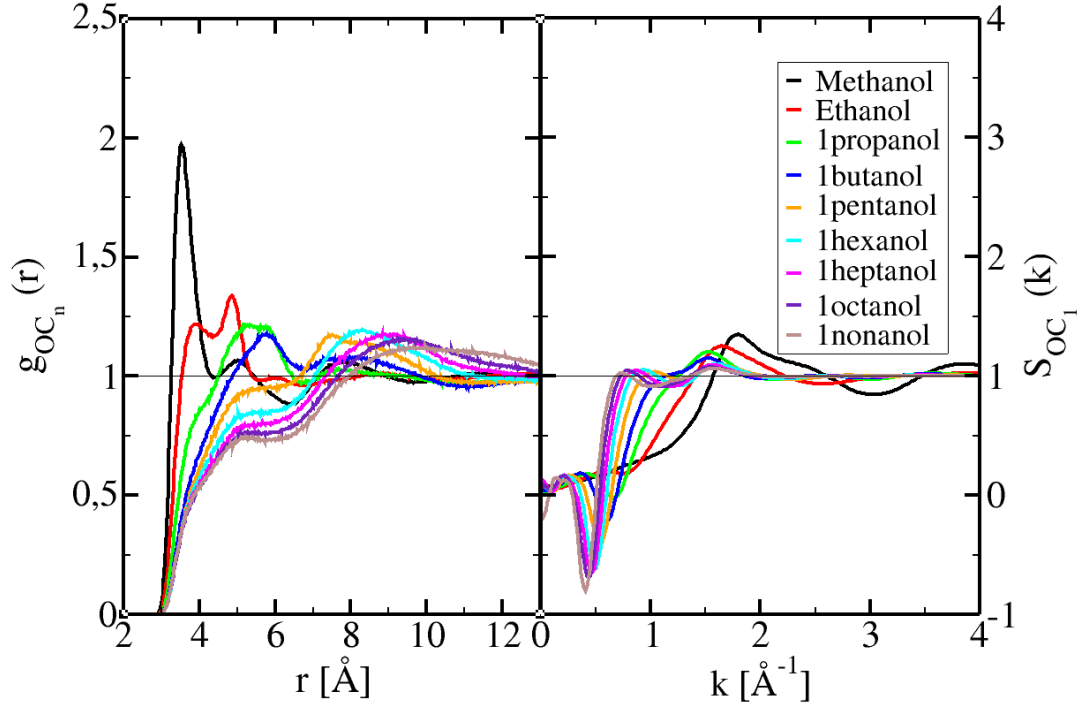


Figure 4: Left panel: Pair correlation functions $g_{OC_n}(r)$ between the oxygen and the last methyl group for methanol up to 1-nonanol. Right panel: corresponding structure factors $S_{OC_n}(k)$ (the color codes are shown on the side).

atom O and the last (uncharged) carbon atom C_n of the methyl group of the alkyl tail. Fig.4 shows the $g_{OC_n}(r)$ and $S_{OC_n}(k)$. What we observe in the left panel is that, when the alcohol is short, from methanol until 1-butanol, there is a dual first neighbour/second neighbour contact high probability, and the first contact decays rapidly, while the second survives until 1-butanol. Ethanol is interesting since it shows equal probability for both contacts. For longer alcohols, the correlations are essentially depleted. We note that the 3rd correlation peak is in the range $7-9\text{\AA}$, and is more pronounced for longer alkyl chains than for the shorter ones. This is somewhat surprising, since one would imagine exactly the opposite behaviour. We interpret this as an indication that the self-assembled objects have better defined shapes and in particular well defined boundaries for longer alkyl chains. This would be consistent with the “inverse line micelle” picture, with the center of the cylinder occupied by the hydroxyl chain, and the alkyl tails protruding all around. The resulting alcohol would then appear as a melt of such self-assembled line-micelles.

The structure factors in the right panel are a good illustration of the generic anti-peak description provided in Section 2.1. We observe the negative anti-

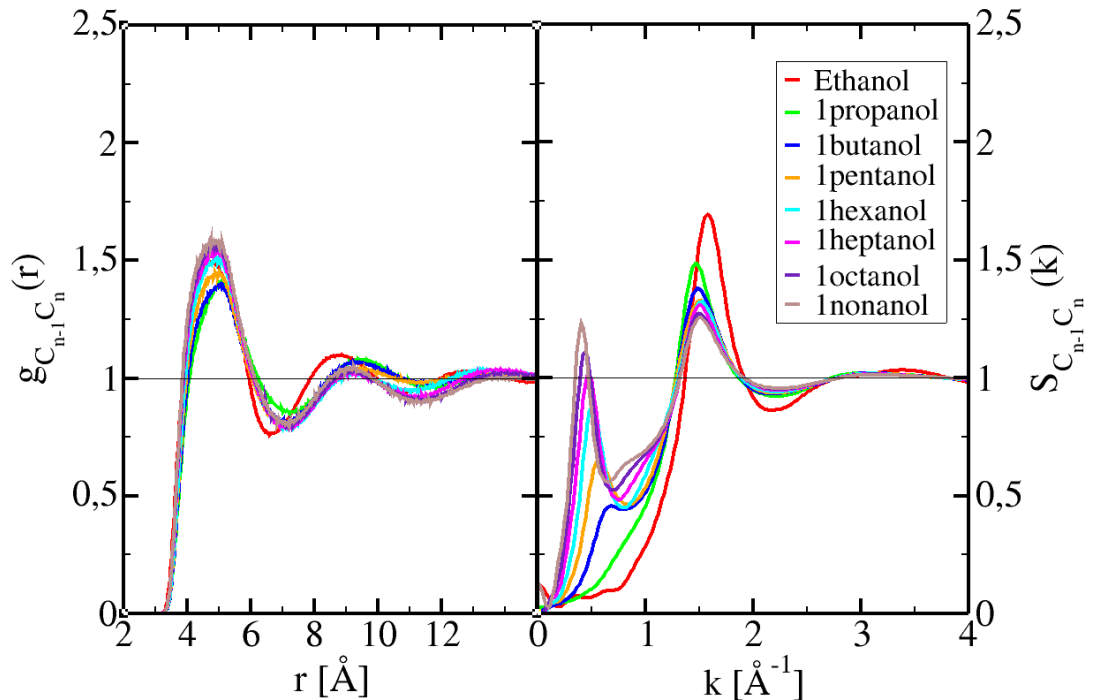


Figure 5: Left panel: Pair correlation functions $g_{C_{n-1}C_n}(r)$ between the last methyl group and the one before, for ethanol up to 1-nonanol. Right panel: corresponding structure factors $S_{C_{n-1}C_n}(k)$ (the color codes are shown on the side).

peaks, which are the consequence of the depletion correlations described in the left panel. These are deeper and narrower for longer alcohols, in proportion of the depth and width of the depletion correlations.

We turn finally towards the carbon-carbon correlations, and we have picked those between the last and one before the last carbons of the alkyl tails. Fig.5 shows the corresponding $g_{C_{n-1}C_n}(r)$ and $S_{C_{n-1}C_n}(k)$ functions. We observe that these correlations are strikingly reminiscent of those in a Lennard-Jones liquid for ethanol and for dimer Lennard-Jones for all others. Since these sites do not bear any charges, these results appear consistent with the charge order hypothesis that the main features of the correlations are slaved to the presence or absence of charge order. However, for longer alcohols we observe a small depression of high order neighbours.

This latter trend is further confirmed by the pre-peak in the corresponding structure factors in the right panel. In fact, the structure factors bears quite some resemblance with the $S_{OO}(k)$ in Fig.1 , at the exception that now both the pre-peak and main peak are about the same height, at least for the longer

alcohols above ethanol. This is very interesting because it witnesses the fact that the tail atoms share both the simple disorder distribution of Lennard-Jones liquids, while keeping a memory that they are slaved to the self-assembly of the head groups. Hence, the role of the tails appears as important in some aspect. This is further confirmed when looking at branched alkyl tails, where entropic effects are expected to play an important role on the self-assembly of the charged head groups.

The effect of temperature has been previously studied in the case of methanol

3.2 Branched octanols

The n-octanol molecules are a good example to study alkyl tail branching. The chains are sufficiently long to expect to observe chain packing entropic effects. The computer simulations reveal that most of the hydroxyl groups are clustered into chain-like aggregates. Hence, a good picture of this liquid is that of either a melt of line-like micelles, or chains “floating” in a “solvent” of methyl/methylene super atoms. We expect two types of effects: the influence of the branching of the tails on the hydroxyl chains formation, and the way the irrepressible chain formation of the hydroxyl groups affect the packing of the alkyl tails. Correlation functions are an excellent observable to answer these questions.

Fig.6 shows the O-O correlations (left panel) and the corresponding structure factors (right panel). Perhaps the most intriguing feature is the non-linear behaviour of these curves as a function of branching. 2-octanol, which is the “less branched” of these octanols, stands out as very different from the others. This is particularly striking in the first peak of the $g_{OO}(r)$, which is smaller for 2-octanol, while all others coincide almost exactly. In contrast, both 3-octanol and 4-octanol offer strong similarities (similar depletion correlations and pre-peak heights). The depletion correlation for the branched octanols are more marked: the more the branching, the wider and deeper the depletion. This is a perfect illustration of the packing entropic problems posed by branching.

We tentatively explain the case of 2-octanol as the difficulty of aggregating the hydroxyl groups versus the rigidity/flexibility of the alkyl tail. Indeed, if we consider the idea of a “sea” of methyl/methylene “solvent”, this poses the problem of packing these super atoms, while keeping the hydroxyl groups attached together. The correlation seems to indicate that these problems are maximised for the case of 2octanol.

Fig.7 shows the O-H correlations for the same cases as in Fig.7. The charge order based alternation that we observed in Figs.1 and 2 is more pronounced with increasing branching. This is directly reflected in the structure factor pre-peak for 4-octanol being higher than the others. However, the positions of the pre-peaks change in a non-linear manner: the k-value decreases from 1-octanol to 3-octanol, and then seems to saturate since it is nearly the same between 3-octanol and 4-octanol.

The influence of the tail length and branching can be appreciated as before by comparing the correlations from the head oxygen to the last carbon. This is shown in Fig.8. We observe that there are no net pre-peaks. Instead, the

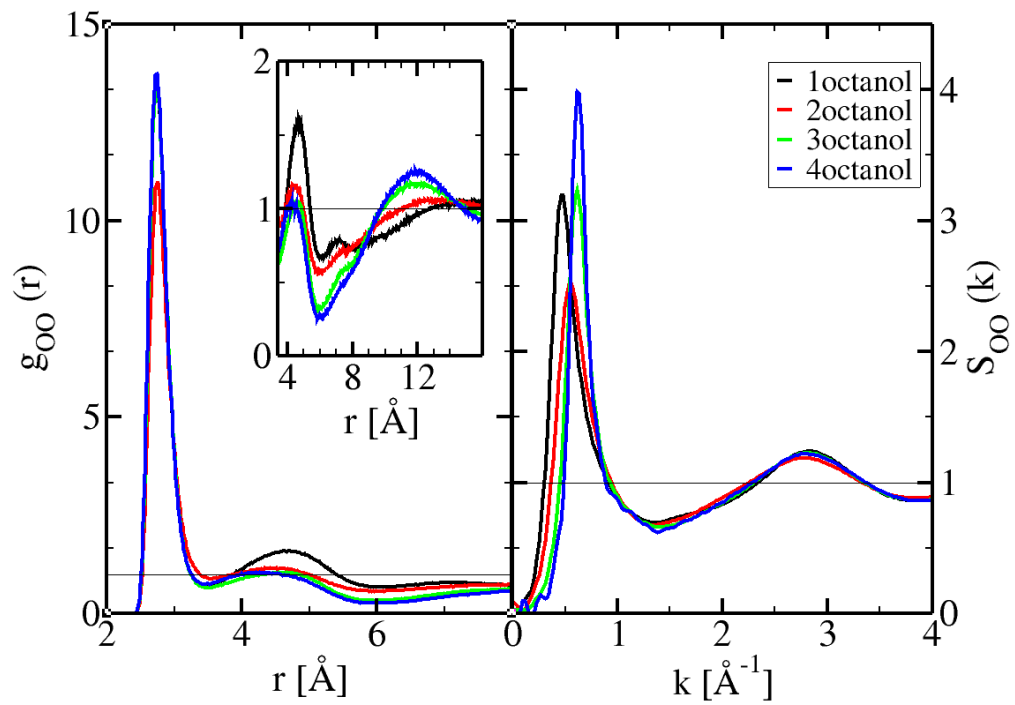


Figure 6: Left panel: oxygen-oxygen pair correlation functions $g_{OO}(r)$ for 1-octanol up to 4-octanol. The inset is a zoom on the depletion correlation part (see text). Right panel: corresponding structure factors $S_{OO}(k)$ (the color codes are shown on the side).

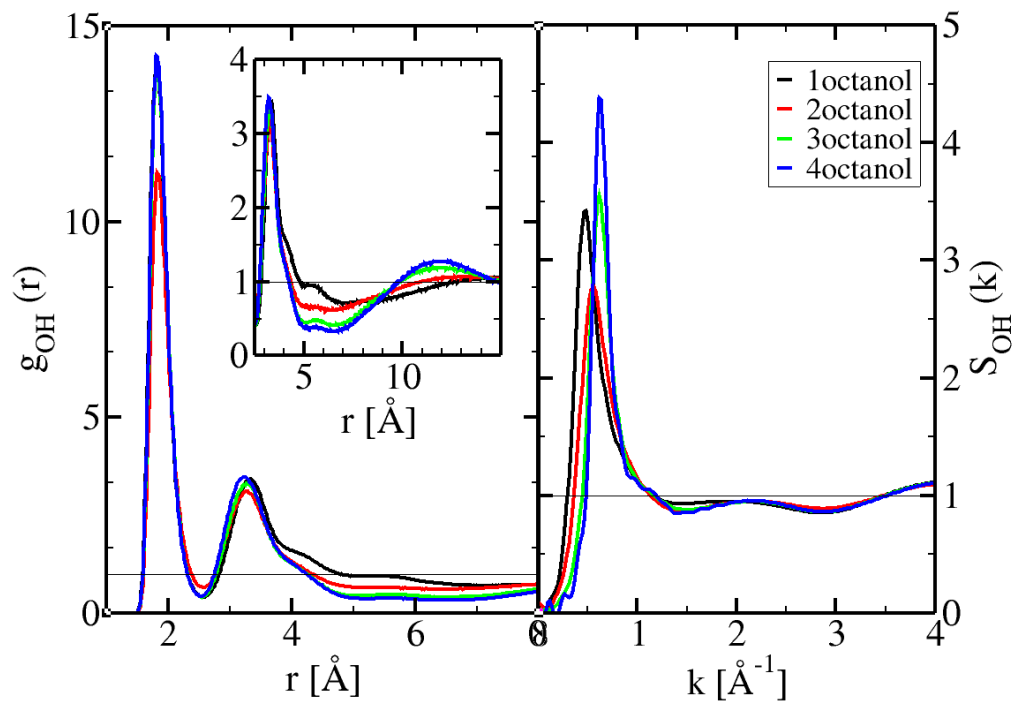


Figure 7: Left panel: Pair correlation functions $g_{OH}(r)$ between the oxygen and the hydrogen for the n-octanol. Right panel: corresponding structure factors $S_{OH}(k)$ (the color codes are shown on the side).

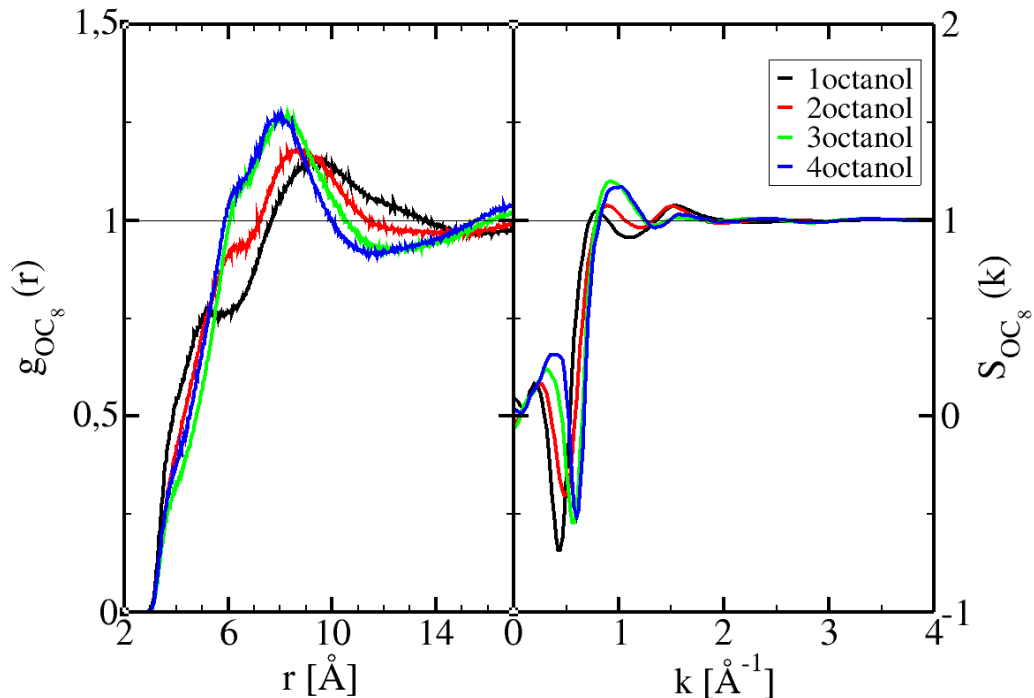


Figure 8: Left panel: Pair correlation functions $g_{OC_n}(r)$ between the oxygen and the last methyl group for the n-octanol. Right panel: corresponding structure factors $S_{OC_n}(k)$ (the color codes are shown on the side).

shoulder structure at small r value $r \approx 5\text{\AA}$ for 1-octanol, tends to disappear, while the correlation heights increase from 1-octanol to 4-octanol, suggesting that these correlations are quite Lennard-Jones like. We tentatively interpret this trend as as randomisation of correlations between the oxygen atom and the tail atoms because of increased branching order. We observe again this saturation of curves at 3-octanol and 4-octanol, since they appear quite similar.

The structure factors show well marked anti-peaks, but of smaller magnitude than those observed for the shorter and medium length non-branched monools in Fig.2. Basically, these results reflect the decorrelation between head groups and tail atoms.

Fig.9 shows the $g_{C_{n-1}C_n}(r)$ and $S_{C_{n-1}C_n}(k)$ in order to appreciate the correlations between the tail atoms that the farthest from the charge order constraints. The figures show quite clearly that the correlations are both Lennard-Jones like and depleted in the r -range $8 - 14\text{\AA}$. This is confirmed by a net pre-peak in the corresponding structure factors.

If we recoup these observations with that of the previous figure, we are forced

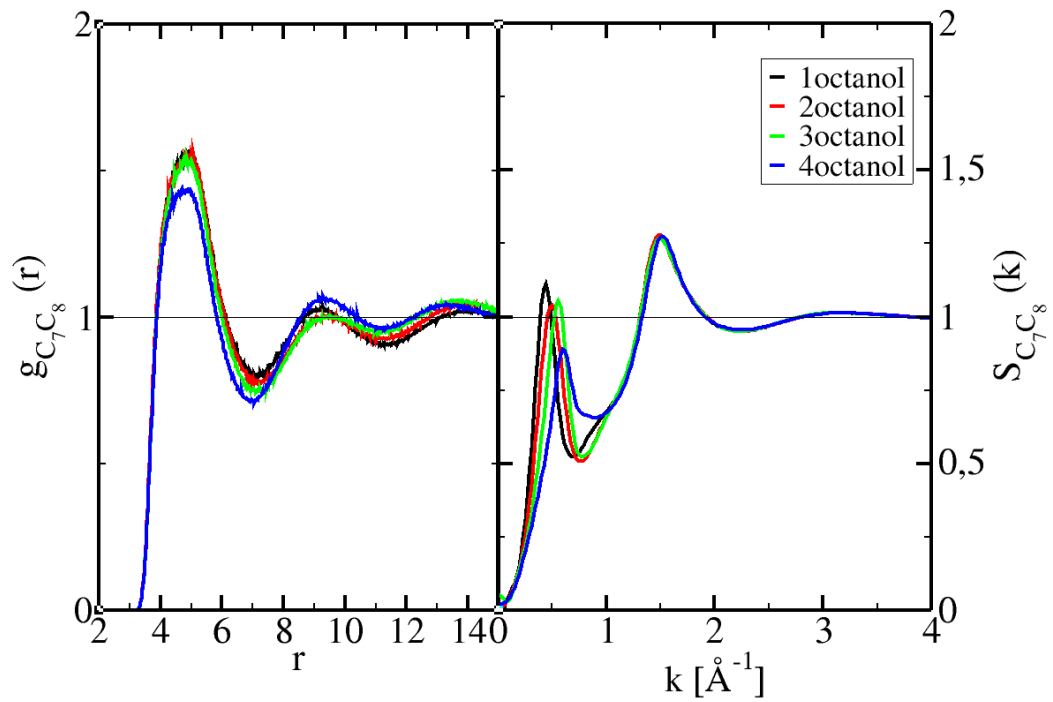


Figure 9: Left panel: Pair correlation functions $g_{C_{n-1}C_n}(r)$ between the last methyl group and the one before, for the n-octanol. Right panel: corresponding structure factors $S_{C_{n-1}C_n}(k)$ (the color codes are shown on the side).

to conclude that, while head and tail atoms appear randomized, the tail atoms themselves are still constrained by the charge order imposed by the head atoms. This is not very surprising, but it shows that “internal” correlations between aggregated atoms are different from those outside. This enforces the picture of a coherent self-assembled object. We can conjecture that self-assembled objects with better shape visibility, such as micelles will show similar change of correlations between atoms belonging to the “inside” of the object and those outside.

4 Calculated scattering intensities

The X-ray scattering experiments provide a biased information on the microscopic structure of the complex disorder liquids, such as those with aggregates. This is because of the cancelling contributions from the various structure factors in the k -range $0 < k < k_{max}$, where $k_{max} \approx 2\pi / \langle \sigma \rangle$ corresponds to the mean atomic diameter size $\langle \sigma \rangle$ of all the atoms in the molecular system, and which corresponds also to the main peak in the wide angle x-ray scattering experiments.

X-ray spectra calculated from simulations using Eq.(3) are also biased for several reasons. First of all, the model dependence is strong, as illustrated in our previous studies [22, 23]. Secondly, The intra-molecular correlations $W_{ab}(k)$ are an important ingredient since they affect the small- k region. Fig.10 illustrates this. The left panel shows a comparison the $W_{OC_8}(k)$ between the oxygen O and last carbon atom C_8 in the case of 1-octanol, between the rigid model (in red) and that (in black) obtained by explicit calculation in the course of the simulation using the flexible OPLS model. We see that there is quite a strong dephasing between the 2 calculations.

In case of long molecules, the rigid model approximation becomes a problem. To avoid that, we sample the mean atom-atom distance d_{ab} , as obtained from the simulations, and use the rigid atom approximation with $W_{ab}(k) = j_0(kd_{ab})$. The right panel shows the intra-molecular correlations $W_{OC_8}(k)$ of the flexible models of various branched octanols. A larger dephasing corresponds to a shorted distance d_{OC_8} , which is consistent in what concerns 1-octanol, but is less trivial for the others.

Fig.11 illustrates the charge order induced pre-peak anti-peak compensations for 1 and 2-octanol. It shows that the anti-peak does not quite compensate the pre-peak, in both cases, which is the reason why a net pre-peak would appear in the scattering intensity $I(k)$. But, there are cases where these peaks exactly compensate, and this happen for more spherical aggregative shapes, where the depletion gains more depth.

Fig.12 shows the x-ray scattering intensities, from experiments (red lines) and calculated (black) for 1 and 2-octanol. The net like-atom (green) and cross-atom (blue) contributions are equally shown. We see that both contributions are positive for the main peaks ($k_{max} \approx 1.5\text{\AA}$), while they have opposite signs for the pre-peaks ($k_{PP} \approx 0.5\text{\AA}$). These opposing contributions are directly

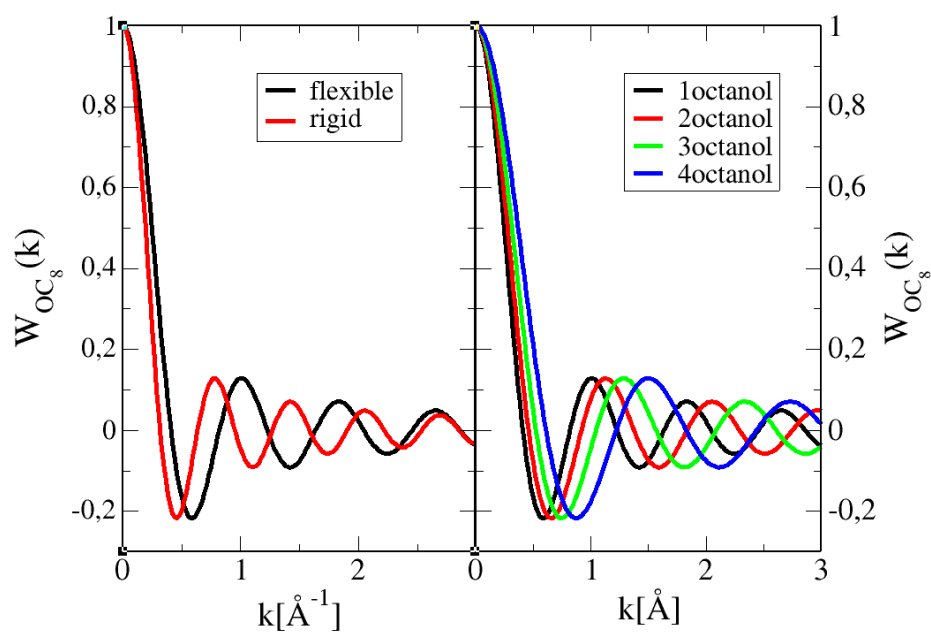


Figure 10: Intra-molecular correlations $W_{OC_8}(k)$ between the head group oxygen atom O and last carbon atom C_8 of the tail. Left panel: $W_{OC_8}(k)$ for 1-octanol; black line for flexible model and red line for rigid model (see text). Right panel: influence of chain branching on $W_{OC_8}(k)$ for the branched octanol.

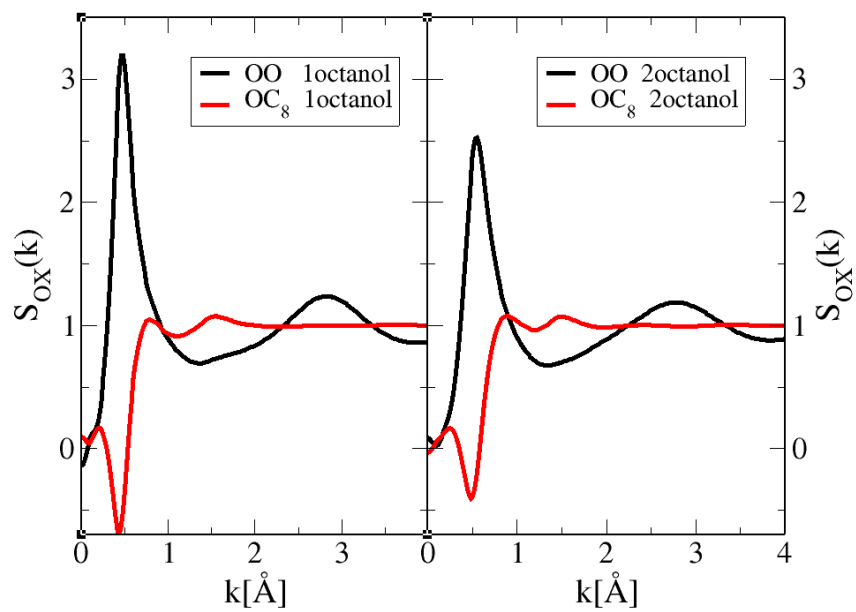


Figure 11: Charge order signature on partial structure factors for like-atoms (OO) and cross-atom (OC_8) correlations. Left panel: 1octanol; right panel: 2octanol.

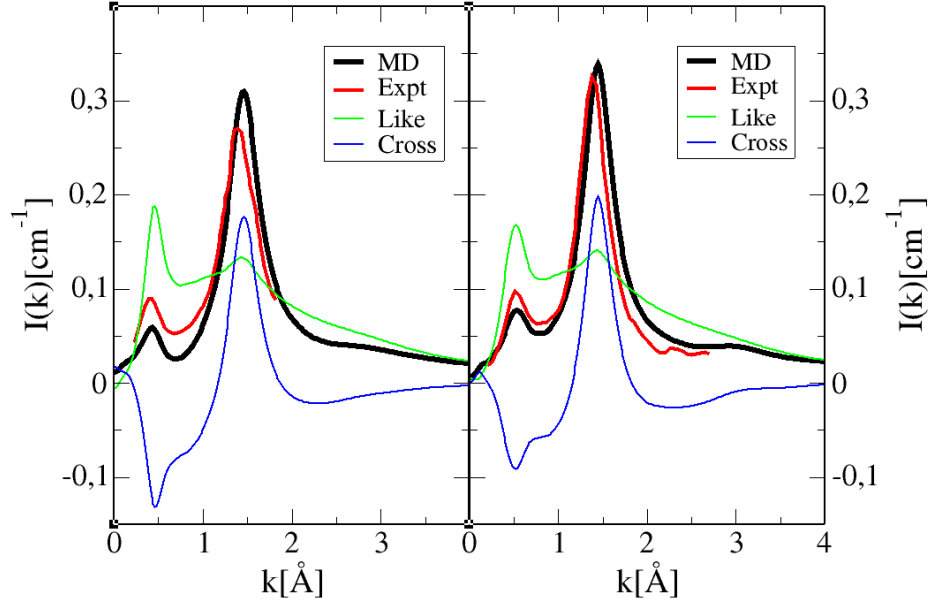


Figure 12: x-ray scattering intensities for 1octanol (left panel) and 2octanol (right panel). Red lines: experimental data from [22, 23], black lines: calculated spectra; green lines: total like-atoms contributions to $I(k)$; blue lines: total cross-atoms contributions to $I(k)$.

related to those illustrated in Fig.11 in the particular case of O and C_8 atoms.

The agreement between the calculated and experimental spectra have been discussed in our previous work [22, 23]. It is mostly qualitative, particularly for the pre-peak part which is very sensitive to local atomic labile positionings and force field details. This is less sensitive for the main peak, which is mostly controlled by the Lennard-Jones interactions between sites, hence the the part of the interaction which is not responsible for labile self-assembly.

It is interesting to ask if the type of microstructure described herein is relevant to the concept of hyperuniformity raised recently [53], which is a form of long ranged disorder. Fig.12 shows the antiphased patterns of like atoms and cross-atom contributions under the pre-peak, which is reminiscent of mosaic type distribution of two patterns. In our case, these would be the charged parts and the uncharged parts, which contribute oppositely. The atom-atom parts contribute similarly under the main peak at $k \approx 1.5 \text{ \AA}^{-1}$ and are not concerned with this mosaic type patterning. The mosaic pattern leads to ask if there could be hyperuniformity in such systems. One of the conditions of hyperuniformity is that $S(k=0) = 0$ [53]. In our case, this would amount to have $I(k=0) = 0$, since $I(k)$ is the weighted average of all atom-atom structure factor. Since this is

not the case, we expect that hyperuniformity does not hold in hydrogen bonded systems.

5 Conclusion

In this study, we have analyzed the local structure of hydrogen bonded mono-hydroxy alcohols, both with non-branched and branched alkyl chains, through the analysis of the pair correlation functions and associated structure factors, in order to apprehend the interplay between self-assembly of the hydroxyl groups in the midst of the alkyl chains. We have shown that the atom-atom pair correlation functions are the ideal observables of the molecular micro-structure inside liquids, and that this micro-structure is chiefly ruled by charge order, including non-charged sites. We have shown that the pre-peaks and anti-peaks in the structure factors are a consequence of special highly inhomogeneous local molecular dispositions induced by charge ordering between the different charged or uncharged atomic groups. What remains unclear at present is relationship between the peak/antipeak position, heights and width, in relation to the supra structure of the self-assembly. Perhaps this is not so well defined for the small self-assembly such as in these mono-ols, and it becomes more relevant to discuss these issues with higher forms of self-assembly, such as with spherical and cylindrical micelles, vesicles, lamella and others. This poses the problem of the interest of studying in detail precursor self-assembling systems. Our answer is that such systems are similar to pre-transitional fluctuations in spinodal and near critical points of lines. While one can focus solely on well defined self-assembled shapes, such micelles, and underestimate the influence of atom-level arrangements and correlations, systems such as those we have studied herein allow to explore precursor self-assembling systems, and pay attention to molecular details down to atom level.

References

- [1] Hansen J P and McDonald I 2006 *Theory of Simple Liquids* 3rd ed (Academic Press, Elsevier, Amsterdam)
- [2] Berne B J and Pecora R 2000 *Dynamic Light Scattering: With Applications to Chemistry, Biology, and Physics* (John Wiley and Sons, Inc.)
- [3] Rowlinson J and Swinton F 1982 *Liquids and Liquid Mixtures* 3rd ed (Butterworth and Co (Publishers) Ltd)
- [4] Glatter O 2018 *Scattering Methods and their Application in Colloid and Interface Science* (Elsevier)
- [5] Debye P 1915 *Annalen der Physik* **351** 809–823 (*Preprint* <https://onlinelibrary.wiley.com/doi/pdf/10.1002/andp.19153510606>)

- [6] Debye P 1954 Scattering of x-rays *The collected papers of Peter J.W. Debye* (Interscience Publishers)
- [7] D'Arrigo G, Giordano R and Teixeira J 2003 *The European Physical Journal E* **10** 135 URL <https://doi.org/10.1140/epje/e2003-00017-x>
- [8] D'Arrigo G, Giordano R and Teixeira J 2009 *The European Physical Journal E* **29** 37 ISSN 1292-895X URL <https://doi.org/10.1140/epje/i2008-10447-7>
- [9] Lee M and van der Vegt N 2005 *The Journal of Chemical Physics* **122** 114509 (*Preprint* <https://doi.org/10.1063/1.1862625>) URL <https://doi.org/10.1063/1.1862625>
- [10] Gupta R and Patey G N 2012 *The Journal of Chemical Physics* **137** 034509 (*Preprint* <https://doi.org/10.1063/1.4731248>) URL <https://doi.org/10.1063/1.4731248>
- [11] Banerjee S, Furtado J and Bagchi B 2014 *The Journal of Chemical Physics* **140** 194502 (*Preprint* <https://doi.org/10.1063/1.4874637>) URL <https://doi.org/10.1063/1.4874637>
- [12] Overduin S D and Patey G N 2017 *The Journal of Chemical Physics* **147** ISSN 0021-9606 024503 (*Preprint* https://pubs.aip.org/aip/jcp/article-pdf/doi/10.1063/1.4990505/13978255/024503_1_online) URL <https://doi.org/10.1063/1.4990505>
- [13] Overduin S D, Perera A and Patey G N 2019 *The Journal of Chemical Physics* **150** ISSN 0021-9606 184504 (*Preprint* https://pubs.aip.org/aip/jcp/article-pdf/doi/10.1063/1.5097011/13944266/184504_1_online) URL <https://doi.org/10.1063/1.5097011>
- [14] Pierce W and MacMillan D 1938 *Journal of the American Chemical Society* **60** 779–783 (*Preprint* <https://doi.org/10.1021/ja01271a013>)
- [15] Warren B 1933 *Phys. Rev.* **44** 969–973
- [16] Magini M, Paschina G and Piccaluga G 1982 *The Journal of Chemical Physics* **77** 2051–2056 (*Preprint* <http://dx.doi.org/10.1063/1.444061>)
- [17] Narten A and Habenschuss A 1984 *The Journal of Chemical Physics* **80** 3387–3391 (*Preprint* <http://dx.doi.org/10.1063/1.447093>)
- [18] Vahvaselkä K S, Serimaa R and Torkkeli M 1995 *Journal of Applied Crystallography* **28** 189–195
- [19] Tomšič M, Jamnik A, Fritz-Popovski G, Glatter O and Vlček L 2007 *The Journal of Physical Chemistry B* **111** 1738–1751

- [20] Cerar J, Lajovic A, Jamnik A and Tomšič M 2017 *Journal of Molecular Liquids* **229** 346–357 ISSN 0167-7322 URL <http://www.sciencedirect.com/science/article/pii/S0167732216339022>
- [21] Nowok A, Dulski M, Grelska J, Szeremeta A Z, Jurkiewicz K, Grzybowska K, Musiał M and Pawlus S 2021 *The Journal of Physical Chemistry Letters* **12** 2142–2147 (Preprint <https://doi.org/10.1021/acs.jpcllett.1c00186>) URL <https://doi.org/10.1021/acs.jpcllett.1c00186>
- [22] Požar M, Bolle J, Sternemann C and Perera A 2020 *The Journal of Physical Chemistry B* **124** 8358–8371 (Preprint <https://doi.org/10.1021/acs.jpcb.0c05932>) URL <https://doi.org/10.1021/acs.jpcb.0c05932>
- [23] Bolle J, Bierwirth S P, Požar M, Perera A, Paulus M, Münzner P, Albers C, Dogan S, Elbers M, Sakrowski R, Surmeier G, Böhmer R, Tolan M and Sternemann C 2021 *Phys. Chem. Chem. Phys.* **23**(42) 24211–24221 URL <http://dx.doi.org/10.1039/D1CP02468J>
- [24] Hansen J P and McDonald I R 1974 *Journal of Physics C: Solid State Physics* **7** L384 URL <https://dx.doi.org/10.1088/0022-3719/7/21/002>
- [25] Hansen J P and McDonald I R 1975 *Phys. Rev. A* **11**(6) 2111–2123 URL <https://link.aps.org/doi/10.1103/PhysRevA.11.2111>
- [26] Triolo A, Russina O, Bleif H J and Di Cola E 2007 *J. Phys. Chem. B* **111** 4641–4644 ISSN 1520-6106 URL <https://doi.org/10.1021/jp067705t>
- [27] Annapureddy H, Kashyap H, De Biase P and Margulis C 2010 *The Journal of Physical Chemistry B* **114** 16838–16846 (Preprint <https://doi.org/10.1021/jp108545z>) URL <https://doi.org/10.1021/jp108545z>
- [28] Santos C, Annapureddy H R, Murthy N, Kashyap H, Castner E and Margulis C 2011 *The Journal of Chemical Physics* **134** 064501 (Preprint <https://doi.org/10.1063/1.3526958>) URL <https://doi.org/10.1063/1.3526958>
- [29] Siqueira L and Ribeiro M 2011 *The Journal of Chemical Physics* **135** 204506 (Preprint <https://doi.org/10.1063/1.3662062>) URL <https://doi.org/10.1063/1.3662062>
- [30] Macchiagodena M, Ramondo F, Triolo A, Gontrani L and Caminiti R 2012 *The Journal of Physical Chemistry B* **116** 13448–13458 (Preprint <https://doi.org/10.1021/jp306982e>) URL <https://doi.org/10.1021/jp306982e>

- [31] Perera A and Mazighi R 2015 *Journal of Molecular Liquids* **210** 243–251 ISSN 0167-7322 mesoscopic structure and dynamics in ionic liquids URL <https://www.sciencedirect.com/science/article/pii/S0167732215300556>
- [32] Sahoo A, Nath P, Bhagat V, Krishna P and Joarder R 2010 *Physics and Chemistry of Liquids* **48** 546–559 (Preprint <https://doi.org/10.1080/00319100903208209>) URL <https://doi.org/10.1080/00319100903208209>
- [33] Karmakar A, Krishna P and Joarder R 1999 *Physics Letters A* **253** 207–210
- [34] Karmakar A K, Sarkar S and Joarder R N 1995 *The Journal of Physical Chemistry* **99** 16501–16503 (Preprint <https://doi.org/10.1021/j100045a001>) URL <https://doi.org/10.1021/j100045a001>
- [35] Yamaguchi T, Hidaka K and Soper A 1999 *Molecular Physics* **96** 1159 URL <http://www.tandfonline.com/doi/abs/10.1080/00268979909483060>
- [36] Sahoo A, Sarkar S, Bhagat V and Joarder R N 2009 *The Journal of Physical Chemistry A* **113** 5160–5162 (Preprint <https://doi.org/10.1021/jp8107717>) URL <https://doi.org/10.1021/jp8107717>
- [37] Sillrén P, Swenson J, Mattsson J, Bowron D and Matic A 2013 *The Journal of Chemical Physics* **138** 214501 (Preprint <https://doi.org/10.1063/1.4807863>) URL <https://doi.org/10.1063/1.4807863>
- [38] Benmore C and Loh Y 2000 *The Journal of Chemical Physics* **112** 5877–5883 (Preprint <http://dx.doi.org/10.1063/1.481160>)
- [39] Perera A 2017 *Physical Chemistry Chemical Physics* **19**(2) 1062 URL <http://dx.doi.org/10.1039/C6CP07834F>
- [40] Lovrinčević B, Bella A, Le Tenoux-Rachidi I, Požar M, Sokolić F and Perera A 2019 *Journal of Molecular Liquids* **293** 111447 ISSN 0167-7322 URL <http://www.sciencedirect.com/science/article/pii/S0167732219330302>
- [41] Pronk S, Páll S, Schulz R, Larsson P, Bjelkmar P, Apostolov R, Shirts M, Smith J, Kasson P, van der Spoel D, Hess B and Lindahl E 2013 *Bioinformatics* **29** 845–854 (Preprint [http://oup/backfile/content_public/journal/bioinformatics/29/7/10.1093/bioinformatics_btt055/3](http://oup/backfile/content_public/journal/bioinformatics/29/7/10.1093/bioinformatics/btt055/3))
- [42] Abraham M, Murtola T, Schulz R, Páll S, Smith J, Hess B and Lindahl E 2015 *SoftwareX* **1-2** 19 ISSN 2352-7110 URL <http://www.sciencedirect.com/science/article/pii/S2352711015000059>
- [43] Martínez J and Martínez L 2003 *Journal of Computational Chemistry* **24** 819 URL <http://onlinelibrary.wiley.com/doi/10.1002/jcc.10216/abstract>

- [44] Nose S 1984 *Molecular Physics* **52** 255 URL
<http://www.tandfonline.com/doi/abs/10.1080/00268978400101201>
- [45] Hoover W 1985 *Physical Review A* **31** 1695 URL
<http://journals.aps.org/pr/abstract/10.1103/PhysRevA.31.1695>
- [46] Parrinello M and Rahman A 1980 *Physical Review Letters* **45** 1196 URL
<http://journals.aps.org/prl/abstract/10.1103/PhysRevLett.45.1196>
- [47] Parrinello M and Rahman A 1981 *Journal of Applied Physics* **52** 7182 URL
<http://aip.scitation.org/doi/10.1063/1.328693>
- [48] Hockney R 1970 *Methods in computational physics, vol. 9* vol 9 (Orlando Academic Press) chap The potential calculation and some applications, pp 135–221
- [49] Darden T, York D and Pedersen L 1993 *The Journal of Chemical Physics* **98** 10089 URL <http://aip.scitation.org/doi/abs/10.1063/1.464397>
- [50] Hess B, Bekker H, Berendsen H and Fraaije J 1997 *Journal of Computational Chemistry* **18** 1463
- [51] Jorgensen W 1986 *The Journal of Physical Chemistry* **90** 1276 URL
<http://pubs.acs.org/doi/abs/10.1021/j100398a015?journalCode=jpchax>
- [52] Perera A and Urbic T 2018 *Physica A: Statistical Mechanics and its Applications* **495** 393–404 ISSN 0378-4371 URL
<https://www.sciencedirect.com/science/article/pii/S0378437117313250>
- [53] Torquato S and Stillinger F H 2003 *Phys. Rev. E* **68**(4) 041113 URL
<https://link.aps.org/doi/10.1103/PhysRevE.68.041113>